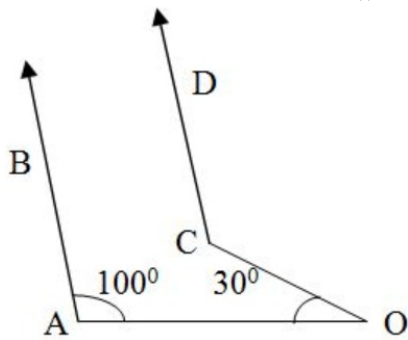


CBSE Test Paper 02
CH-6 Lines and Angles

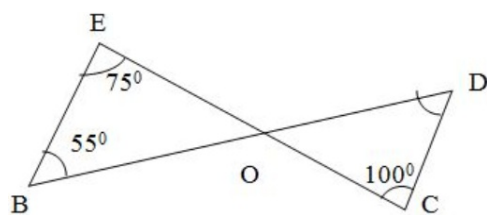
1. The number of angles formed by a transversal with a pair of parallel lines are

- a. 8
- b. 4
- c. 6
- d. 3

2. In the given figure, $AB \parallel CD$. If $\angle AOC = 30^\circ$ and $\angle OAB = 100^\circ$. then $\angle OCD = ?$

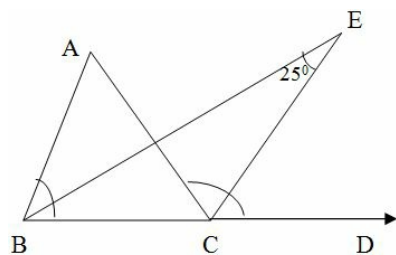


- a. 80°
 - b. 100°
 - c. 130°
 - d. 150°
3. If two angles are supplementary and the larger is 20° less than three times the smaller, then the angles are :-
- a. $72\frac{1}{2}^\circ, 17\frac{1}{2}^\circ$
 - b. $140^\circ, 40^\circ$
 - c. $130^\circ, 50^\circ$
 - d. $62\frac{1}{2}^\circ, 27\frac{1}{2}^\circ$
4. In the given figure, $\angle OEB = 75^\circ$, $\angle OBE = 55^\circ$ and $\angle OCD = 100^\circ$. Then $\angle ODC = ?$



- a. 30°
- b. 25°
- c. 35°
- d. 20°

5. In the adjoining figure, BE and CE are bisectors of $\angle ABC$ and $\angle ACD$ respectively. If $\angle BEC = 25^\circ$, then $\angle BAC$ is equal to :-



- a. 50°
- b. $25\frac{1}{2}^\circ$
- c. 65°
- d. $12\frac{1}{2}^\circ$

6. Fill in the blanks:

A line segment has _____ end points.

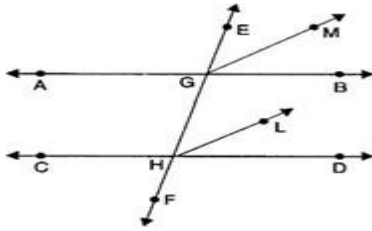
7. Fill in the blanks:

A line has _____ end point.

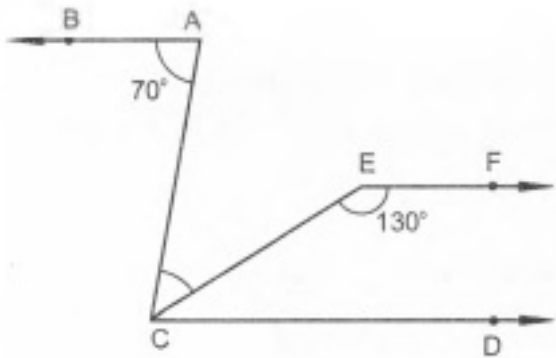
8. An angle is equal to five times its complement. Determine its measure.

9. Two supplementary angles are in the ratio 2 : 3. Find the angles.

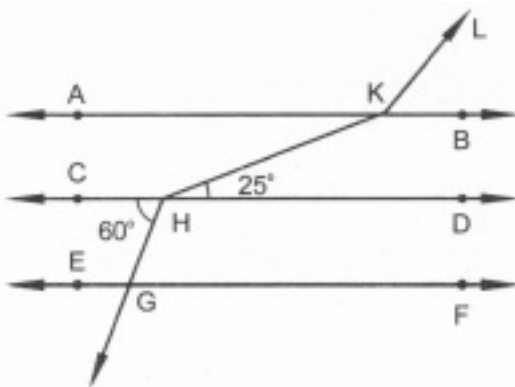
10. If two lines are intersected by a transversal in such a way that the bisectors of a pair of corresponding angles are parallel, then prove that lines are parallel.



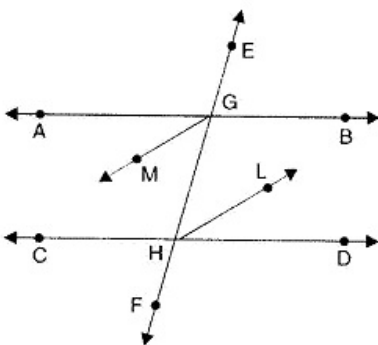
11. In Figure, if $AB \parallel CD$ and $CD \parallel EF$, find $\angle ACE$.



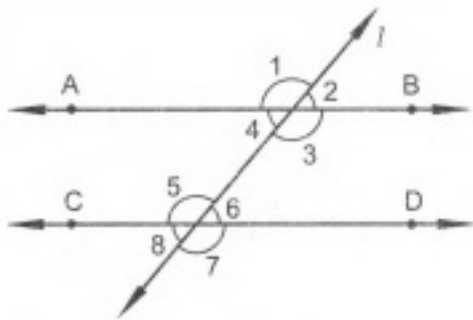
12. In figure, $AB \parallel CD \parallel EF$ and $GH \parallel KL$. Find $\angle HKL$.



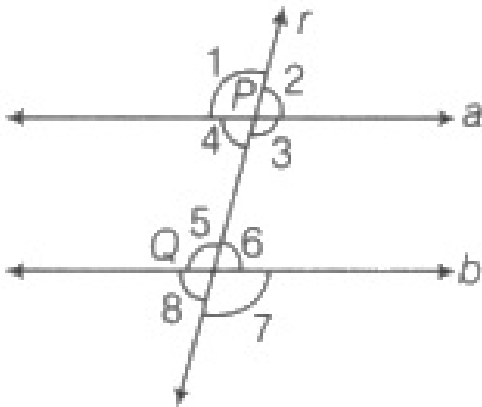
13. If two parallel lines are intersected by a transversal, then prove that the bisectors of any two alternate angles are parallel.



14. In Fig., $AB \parallel CD$ and $\angle 1$ and $\angle 2$ are in the ratio $3 : 2$. Determine all angles from 1 to 8.



15. In the given figure, if $\angle 2 = 120^\circ$ and $\angle 5 = 60^\circ$, then show that $a \parallel b$.

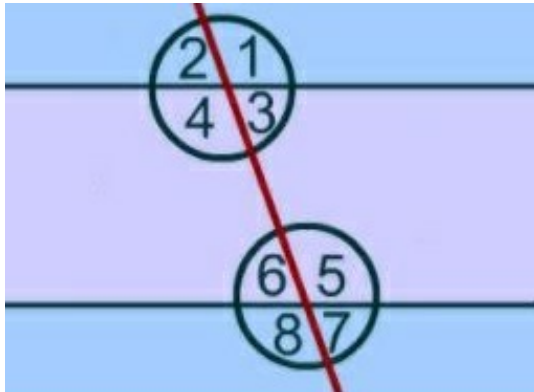


CBSE Test Paper 02
CH-6 Lines and Angles

Solution

1. (a) 8

Explanation:



As we can see there are 4 angles formed at every point of intersection thus giving a total of 8 angles.

2. (c) 130°

Explanation:

Extend line CD which intersect AO at M.

$\angle CMO = \angle BAO = 100^\circ$ (Corresponding angle)

In $\triangle MOC$

$\angle MOC + \angle CMO = \angle DCO$ (exterior angle is equal to the sum of two opposite interior angles)

$\angle DCO = 100^\circ + 30^\circ = 130^\circ$

3. (c) $130^\circ, 50^\circ$ Explanation:

Let the two supplementary angles be x° and $180^\circ - x^\circ$

Let $180^\circ - x$ be the larger angle

$$180^\circ - x = 3x - 20^\circ$$

$$4x = 200^\circ$$

$$x = 50^0$$

So the angles are 50^0 and 130^0

4. (a) 30°

Explanation:

In $\triangle OEB$

$$\angle OEB + \angle EBO + \angle BOE = 180^\circ \text{ (Angle sum property)}$$

$$75^\circ + 55^\circ + \angle BOE = 180^\circ$$

$$\angle BOE = 50^\circ$$

$$\angle BOE = \angle COD = 50^\circ \text{ (Vertically opposite angle)}$$

In $\triangle ODC$

$$\angle ODC + \angle DOC + \angle DCO = 180^\circ$$

$$\angle ODC = 180^\circ - 100^\circ - 50^\circ$$

$$\angle ODC = 30^\circ$$

5. (a) 50°

Explanation:

In $\triangle BEC$

$$\angle BEC + \angle EBC = \angle ECD \text{ (Exterior angle property)}$$

$$\angle BEC = \angle ECD - \angle EBC$$

In $\triangle ABC$

$$\angle ABC + \angle BAC = \angle ACD$$

$$\angle ABC + 2\angle EBC = 2\angle ECD$$

$$\angle ABC = 2(\angle ECD - \angle EBC)$$

$$\angle ABC = 2(\angle BEC)$$

$$\angle ABC = 50^\circ$$

6. two

7. no

8. Let the measure of the given angle be x degrees. Then, the measure of its complement is $(90 - x)^\circ$.

It is given that:

Angle = 5 × Its complement

$$\Rightarrow x = 5(90 - x)$$

$$\Rightarrow x = 450 - 5x \Rightarrow 6x = 450 \Rightarrow x = 75$$

Thus, the measure of the given angle is 75°

9. Let the two angles be $2x$ and $3x$ in degrees. Then,

$$\therefore 2x + 3x = 180$$

$$\Rightarrow 5x = 180 \Rightarrow x = 36$$

Thus, the measures of two angles are $2x = 2 \times 36^\circ = 72^\circ$ and $3x = 3 \times 36^\circ = 108^\circ$.

10. $GM \parallel HL \dots$ [Given]

$$\therefore \angle EGM = \angle GHL \dots \text{[Corresponding angles]}$$

$$\therefore 2\angle EGM = 2\angle GHL$$

$$\therefore \angle EGB = \angle GHD \dots \text{[GM bisects the } \angle EGB \text{ and HL bisects the } \angle GHD]$$

These angles form a pair of equal corresponding angles for lines AB and CD and transversal EF.

$$\therefore AB \parallel CD$$

11. Since $EF \parallel CD$

$$\therefore \angle FEC + \angle ECD = 180^\circ \text{ [co-interior angles are supplementary]}$$

$$\Rightarrow \angle ECD = 180^\circ - 130^\circ = 50^\circ$$

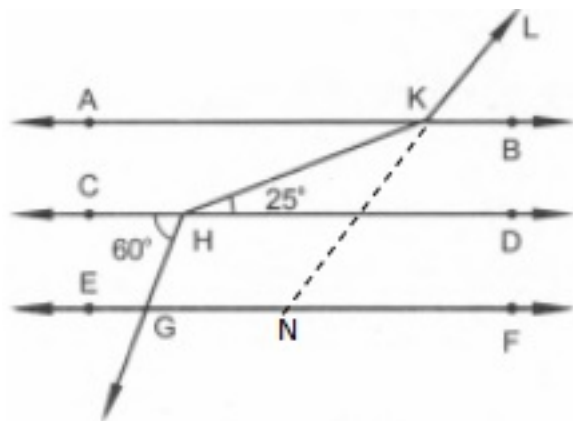
Also $BA \parallel CD$

$$\Rightarrow \angle BAC = \angle ACD = 70^\circ \text{ [alternate interior angles]}$$

$$\text{But } \angle ACE + \angle ECD = \angle ACD = 70^\circ$$

$$\Rightarrow \angle ACE = 70^\circ - 50^\circ = 20^\circ$$

12.



Produce LK to meet GF at N.

Now,

$$\angle CHG = \angle HGN = 60^\circ \text{ [alternate angles]}$$

$$\angle HGN = \angle KNF = 60^\circ \text{ [corresponding angles]}$$

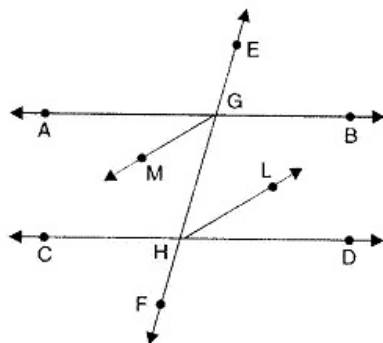
$$\therefore \angle KNG = 180^\circ - 60^\circ = 120^\circ \text{ [linear pair]}$$

$$\angle GNK = \angle AKL = 120^\circ \text{ [corresponding angles]}$$

$$\angle AKH = \angle KHD = 25^\circ \text{ [alternate angles]}$$

$$\therefore \angle HKL = \angle AKH + \angle AKL = 25^\circ + 120^\circ = 145^\circ$$

13.



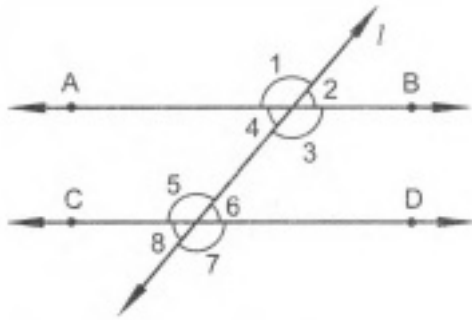
$AB \parallel CD$ and a transversal EF intersects them

$$\therefore \angle AGH = \angle GHD$$

$$\frac{1}{2} \angle AGH = \frac{1}{2} \angle GHD$$

$$\angle MGH = \angle GHL \dots \text{[As GM bisects the } \angle AGH \text{ and HL bisects the } \angle GHD]$$

14.



Given In Fig., $AB \parallel CD$ and $\angle 1$ and $\angle 2$ are in the ratio 3 : 2.

To find: All angles from 1 to 8.

Solution: Let $\angle 1 = 3x$, $\angle 2 = 2x$ [Given]

Now, $\angle 1 + \angle 2 = 180^\circ$ [linear pair]

$$\Rightarrow 3x + 2x = 180^\circ$$

$$\Rightarrow 5x = 180^\circ$$

$$\Rightarrow x = 36^\circ$$

$$\therefore \angle 1 = 3x = 108^\circ \text{ and } \angle 2 = 2x = 72^\circ$$

$$\angle 1 = \angle 3 = 108^\circ \text{ [vertically opposite angles]}$$

$$\angle 2 = \angle 4 = 72^\circ \text{ [vertically opposite angles]}$$

$$\angle 1 = \angle 5 = 108^\circ \text{ [corresponding angles]}$$

$$\angle 2 = \angle 6 = 72^\circ \text{ [corresponding angles]}$$

$$\angle 5 = \angle 7 = 108^\circ \text{ [vertically opposite angles]}$$

$$\angle 6 = \angle 8 = 72^\circ \text{ [vertically opposite angles]}$$

Hence, $\angle 1 = \angle 3 = \angle 5 = \angle 7 = 108^\circ$ and

$$\angle 2 = \angle 4 = \angle 6 = \angle 8 = 72^\circ$$

15. Given, $\angle 2 = 120^\circ$ and $\angle 5 = 60^\circ$

Also, transversal r intersects two lines a and b at P and Q , respectively.

Here, $\angle 2 = \angle 4$ [vertically opposite angles]

$$\therefore \angle 4 = \angle 2 = 120^\circ$$

$$\text{Now, } \angle 4 + \angle 5 = 120^\circ + 60^\circ \Rightarrow \angle 4 + \angle 5 = 180^\circ$$

So, $\angle 4$ and $\angle 5$ are supplementary angles.

Since, a is a straight line.

$$\therefore \angle 4 + \angle 3 = 180^\circ \text{ [by linear pair axiom]}$$

$$\Rightarrow 120^\circ + \angle 3 = 180^\circ$$

$$\Rightarrow \angle 3 = 180^\circ - 120^\circ = 60^\circ$$

$$\text{Now, } \angle 7 = \angle 5 = 60^\circ \text{ [vertically opposite angles]}$$

$$\text{Here, } \angle 7 + \angle 8 = 180^\circ \text{ [by linear pair axiom]}$$

$$\therefore 60^\circ + \angle 8 = 180^\circ$$

$$\Rightarrow \angle 8 = 180^\circ - 60^\circ = 120^\circ$$

$$\therefore \angle 6 = \angle 8 = 120^\circ \text{ [vertically opposite angles]}$$

$$\therefore \angle 3 + \angle 6 = 60^\circ + 120^\circ = 180^\circ$$

So, $\angle 3$ and $\angle 6$ are supplementary angles.

Thus, transversal r intersects lines a and b such that pair of interior angles on the same side of the transversal is supplementary. Hence, lines a and b are parallel.

Hence proved.