

CBSE Test Paper 03
CH-11 Constructions

1. If two parallel lines are intersected by a transversal, the bisectors of the interior angles form a _____.
 - a. rectangle
 - b. square
 - c. rhombus
 - d. parallelogram
2. A rotating ray after making a complete rotation coincides with its initial position. The angle thus formed is _____.
 - a. straight angle
 - b. complete angle
 - c. right angle
 - d. reflex angle
3. Two radii of same circle are always _____ to each other.
 - a. parallel
 - b. parallel and may inclined at an angle
 - c. inclined at an angle
 - d. perpendicular
4. With the help of a ruler and a compass, it is possible to construct an angle of _____.
 - a. 37.5°
 - b. 65°

c. 40°

d. 50°

5. With the help of a ruler and a compass, it is not possible to construct an angle of_____.

a. 22.5°

b. 37.5°

c. 80°

d. 67.5°

6. Construct a triangle XYZ in which $\angle Y = 30^\circ$, $\angle Z = 90^\circ$ and $XY + YZ + ZX = 11$ cm.

7. Draw a line segment 5.8 cm long and draw its perpendicular bisector.

8. Construct a right triangle when one side is 3.5 cm and the sum of the other side and hypotenuse is 5.5 cm.

9. Construct an angle of 60° .

10. Construct a triangle $\triangle ABC$ in which $BC = 8$ cm. $\angle B = 45^\circ$ and $AB - AC = 3.5$ cm.

11. Construct an equilateral triangle, given its side and justify the construction.

12. Construct $\triangle ABC$ in which $BC = 3.6$ cm, $AB + AC = 4.8$ cm and $\angle B = 60^\circ$.

13. Construct an angle of 45° at the initial point of a given ray and justify the construction.

14. Construct a square of side 3 cm.

15. Draw the perpendicular bisector of a line segment of length 7 cm and justify the construction.

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Solution

1. (a) rectangle

Explanation: Let, Two parallel lines AB & CD are intersected by a transversal line L at P & R respectively.

PQ , RQ , RS & PS are bisectors of $\angle APR$, $\angle PRC$, $\angle PRD$, $\angle BPR$ respectively.

Since, $AB \parallel CD$ and L is a transversal

$$\implies \angle APR = \angle PRD \text{ (alternate interior angles)}$$

$$\implies \frac{1}{2} \angle APR = \frac{1}{2} \angle PRD \implies \angle QPR = \angle PRS$$

But these are alternate interior angles.

$\therefore PQ \parallel RS$. Similarly, $QR \parallel PS$

$\therefore PQRS$ is a parallelogram.

Also, $\angle APR + \angle BPR = 180^\circ$ (LINEAR PAIR)

$$\begin{aligned} \implies \frac{1}{2} \angle APR + \frac{1}{2} \angle BPR &= 90^\circ & \implies \angle QPR + \angle SPR &= 90^\circ \\ \implies \angle QPS &= 90^\circ \end{aligned}$$

Hence, $PQRS$ is a rectangle.

2. (b) complete angle

Explanation: If a rotating ray after making a complete rotation coincides with the initial position, then, the angle thus formed will be of 360° and this angle is known as Complete angle

3. (c) inclined at an angle

Explanation: The radius of any circle is defined as the distance of any point on the circumference of the circle from the Centre of the circle. Since, Centre of any circle is only one. Thus, any radius will always be drawn from Centre, hence, both radii will meet and inclined at an angle.

4. (a) 37.5°

Explanation: With the help of ruler & compass, it is not possible to construct an angle which is not a multiple of 15° . As we know, 37.5° is a multiple of 15° . Hence, we can construct an angle of 37.5° with the help of ruler and compass.

5. (c) 80°

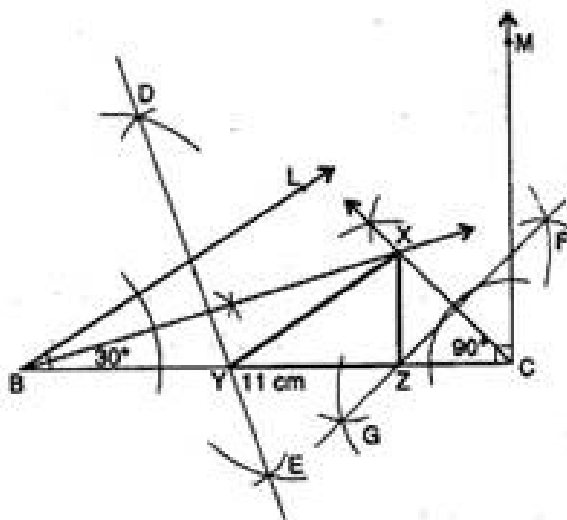
Explanation: With the help of a ruler and a compass, it is not possible to construct an angle which is not a multiple of 15° and as here 80° is not a multiple of 15° , so, we can not construct it.

6. Given : In triangle XYZ, $\angle Y = 30^\circ$, $\angle Z = 90^\circ$ and $XY + YZ + ZX = 11$ cm.

Required: To construct XYZ.

Construction :

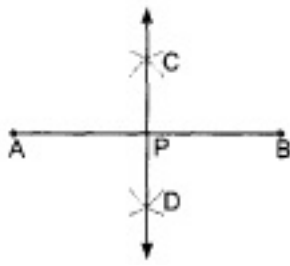
- Draw a line segment $BC = XY + YZ + ZX = 11$ cm.
- Make $\angle LBC = \angle Y = 30^\circ$ and $\angle MCB = \angle Z = 90^\circ$
- Bisect $\angle LBC$ and $\angle MCB$. Let these bisectors meet at a point X.
- Draw perpendicular bisectors DE of XB and FG of XC.



- Let DE intersects BC at Y and FG intersects BC at Z.
- Join XY and XZ.

XYZ is the required triangle.

7. Steps of Construction



- i. Draw a line segment $AB = 5.8$ cm.
- ii. Taking A as centre and radius more than half of AB, draw one arc above and other arc below line AB.
- iii. Similarly, with B as centre draw two arcs cutting the previous drawn arcs and name the points obtained as C and D respectively.
- iv. Join CD, intersecting AB at point P.

Then, line CD is the required perpendicular bisector of AB.

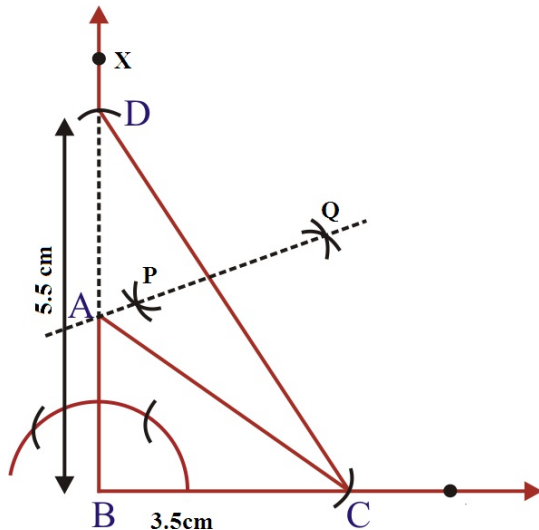
And $AP = PB = 2.9$ cm

8. Given : In right triangle ABC, $BC = 3.5$ cm, $\angle B = 90^\circ$ and $AB + AC = 5.5$

Required : To construct the right triangle ABC.

Steps of construction :

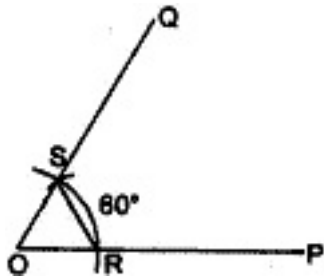
- i. Draw the base $BC = 3.5$ cm.
- ii. At the point B, make an angle, say $\angle XBC = 90^\circ$
- iii. Cut a line segment BD equal to $AB + AC = 5.5$ cm. on the ray BX.
- iv. Join DC.
- v. Draw the perpendicular bisector PQ of CD to intersect BD at a point A.
- vi. Join AC.



ABC is the required right triangle.

9. Steps of construction :

- i. Draw any line OP
- ii. With O as centre and any suitable radius, draw an arc to meet OP at R.
- iii. With R as centre and same radius as in step above, draw an arc to meet the previous arc at S.
- iv. Join OS and produce it to Q, then $\angle POQ = 60^\circ$.



Justification : Join SR

In $\triangle ORS$,

$OR = OS = RS \dots$ [by construction]

$\triangle ORS$ is an equilateral triangle.

Hence $\angle ROS = 60^\circ$

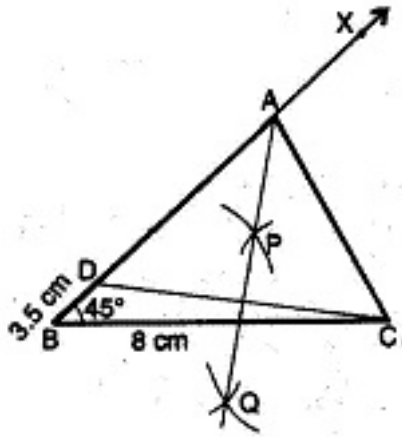
So $\angle POQ = 60^\circ$

10. Given: In $\triangle ABC$, $BC = 8$ cm, $\angle B = 45^\circ$ and $AB - AC = 3.5$ cm.

Required: To construct the triangle ABC.

Steps of construction :

1. Draw the base $BC = 8$ cm.
2. At the point B construct an angle $XBC = 45^\circ$
3. Cut an arc of length 3.5 cm on the ray BX say D.



4. Join DC.
5. Draw the perpendicular bisector, of DC say PQ.
6. Let it intersect BX at a point A.
7. Join AC.

ABC is the required triangle.

Justification:

A lies on the perpendicular bisector of CD.

$$\therefore AD = AC$$

$$\text{Now } BD = AB - AD$$

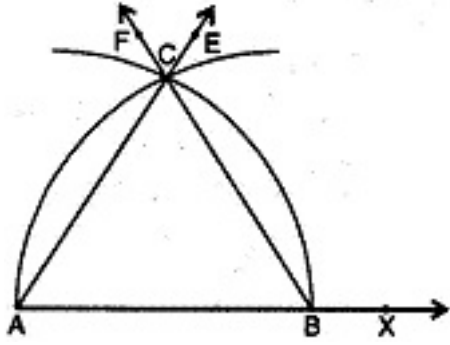
$$\Rightarrow BD = AB - AC = 3.5 \text{ cm}$$

11. Given: side = (say) 6 cm of an equilateral triangle.

Required: To construct the equilateral triangle and justify the construction.

Steps of construction :

- i. Take a ray AX with initial point A. From AX, cut off AB = 6 cm.
- ii. Taking A as centre and radius (= 6 cm) draw an arc of a circle, which intersects AX, say at a point B.
- iii. Taking B as centre and with the same radius as before, draw an arc intersecting the previously drawn arc, say at point C.
- iv. Draw the ray AE passing through C.



- v. Draw the ray BF passing through C.

$\triangle ABC$ is the required triangle with side = 6 cm.

Justification :

$AB = BC$. . .[By construction]

$AB = AC$. . .[By construction]

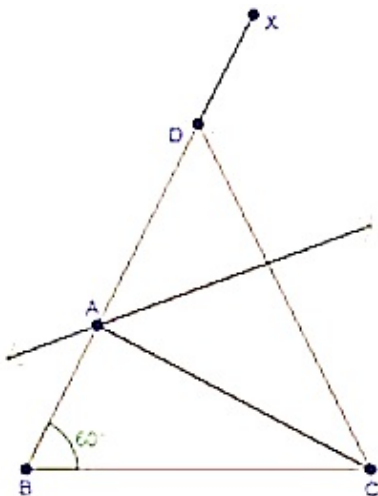
$\therefore AB = BC = CA$

$\therefore \triangle ABC$ is an equilateral triangle.

12. Steps of construction:-

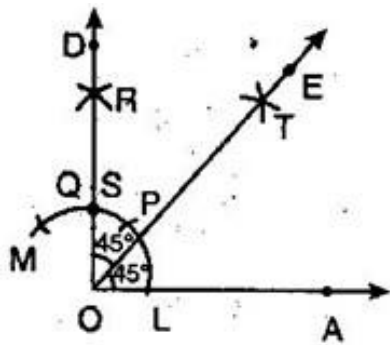
Hence, $\triangle ABC$ is the required triangle.

- i. Draw a line segment BC of 3.6 cm.
- ii. At the point B, draw $\angle XBC$ of 60° .
- iii. With centre B and radius 4.8 cm, draw an arc which intersects XB at D.
- iv. Join DC.
- v. Draw the perpendicular bisector of DC which intersects DB at A.
- vi. Join AC



13. Steps of construction:

Thus OE bisects $\angle AOD$ and therefore $\angle AOE = \angle DOE = 45^\circ$



Justification:

Join LS then $\triangle OLS$ is isosceles right triangle, right angled at O.

$\therefore OL = OS$

Therefore O lies on the perpendicular bisector of SL.

$\therefore SF = FL$

And $\angle OFS = \angle OFL$ [Each 90°]

Now in $\triangle OFS$ and $\triangle OFL$,

$OF = OF$ [Common]

$OS = OL$ [By construction]

$SF = FL$ [Proved]

$\therefore \triangle OFS \cong \triangle OFL$ [By SSS rule]

$\Rightarrow \angle SOF = \angle LOF$ [By CPCT]

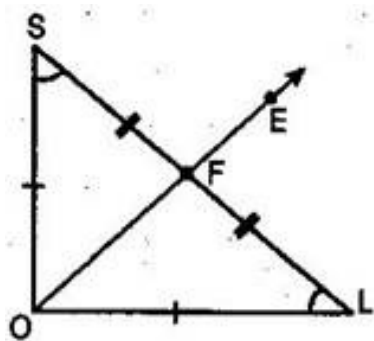
Now $\angle SOF + \angle LOF = \angle SOL$

$\Rightarrow \angle SOF + \angle LOF = 90^\circ$

$\Rightarrow 2\angle LOF = 90^\circ$

$\Rightarrow \angle LOF = \frac{1}{2} \times 90^\circ = 45^\circ$

And $\angle AOE = 45^\circ$

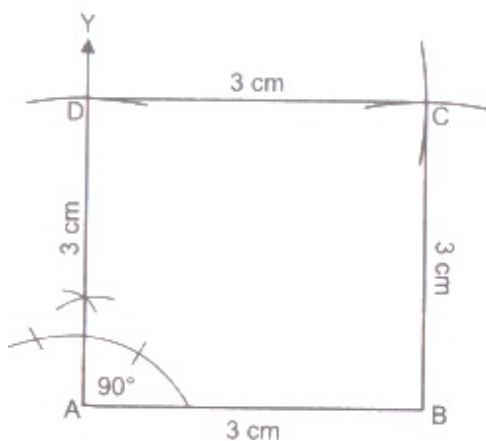


1. Draw a ray OA.

2. With O as centre and convenient radius, draw an arc LM cutting OA at L.

3. Now with L as centre and radius OL, draw an arc cutting the arc LM at P.
4. Then taking P as centre and radius OL, draw an arc cutting arc PM at the point Q.
5. Join OP to draw the ray OB. Also join O and Q to draw the OC. We observe that: $\angle AOB = \angle BOC = 60^\circ$
6. Now we have to bisect $\angle BOC$. For this, with P as centre and radius greater than $\frac{1}{2} PQ$ draw an arc.
7. Now with Q as centre and the same radius as in step (f), draw another arc cutting the arc drawn in step 6 at R.
8. Join O and R and draw ray OD. Then $\angle AOD$ is the required angle of 90° .
9. With L as centre and radius greater than $\frac{1}{2} LS$, draw an arc.
10. Now with S as centre and the same radius as in step (i), draw another arc cutting the arc drawn in step (i) at T.
11. Join O and T and draw ray OE.

14.



Steps of construction:

1. Take $AB = 3 \text{ cm}$.
2. At A, draw $AY \perp AB$.
3. With A as centre and radius = 3cm, describe an arc cutting AY at D.
4. With B and D as centres and radii equal to 3 cm, draw arc intersecting at C.
5. Join BC and DC. ABCD is the required square.

15. Steps of Construction

Justification :- Join AP, AQ, BP and BQ.

In $\triangle PAQ$ and $\triangle PBQ$,

$AP = BP$ [arcs of equal radii]

$AQ = BQ$ [arcs of equal radii]

$PQ = PQ$ [common sides]

$\therefore$ By SSS congruence rule, we can write that $\triangle PAQ \cong \triangle PBQ$

$\therefore \angle APM = \angle BPM$ [as corresponding parts of the congruent triangles are equal](i)

Now, consider $\triangle PMA$ and $\triangle PMB$,

$PM = PM$ [common sides]

$\angle APM = \angle BPM$ [from Equation (i)]

$AP = BP$ [arcs of equal radii]

$\therefore$ By SAS congruence rule, we can write that $\triangle PMA \cong \triangle PMB$

$AM = BM$ [arcs of equal radii]

and $\angle AMP = \angle BMP$ [as corresponding parts of the congruent triangles are equal] ...
(ii)

Now, $\angle AMP + \angle BMP = 180^\circ$ [linear pair](iii)

From Equations (ii) and (iii), we get $\angle AMP = \angle BMP = 90^\circ$

Hence, PQ is the required perpendicular bisector of the given line segment AB as it divides the line segment AB into 2 equal parts and angles on both sides of the bisector are of 90° .

- i. Draw line segment $AB = 7$ cm. Then, draw two arcs each from both sides of the line segment AB with radius more than $\frac{1}{2}$ of AB (i.e. more than 3.5 cm) taking A and B as centre, respectively.
- ii. Let arcs drawn in step (i) intersect each other at points P and Q .
- iii. Join PQ which intersect AB at M .

Thus, line PQ is the required perpendicular bisector of AB .

