

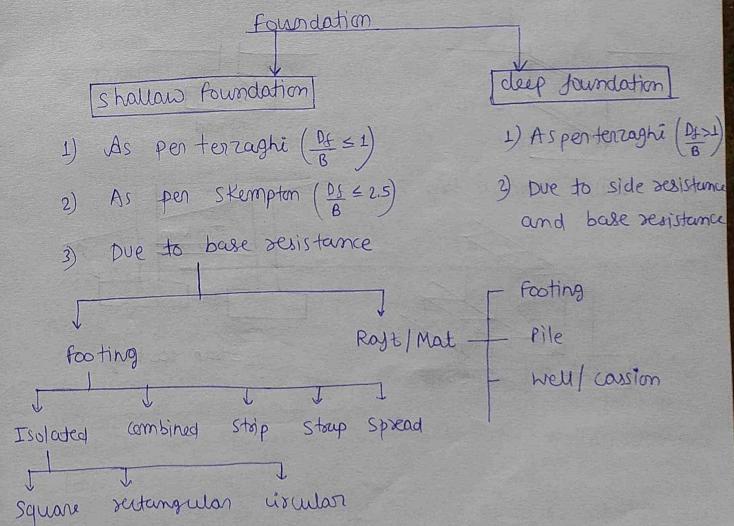
Lecture 13  
17/11/19

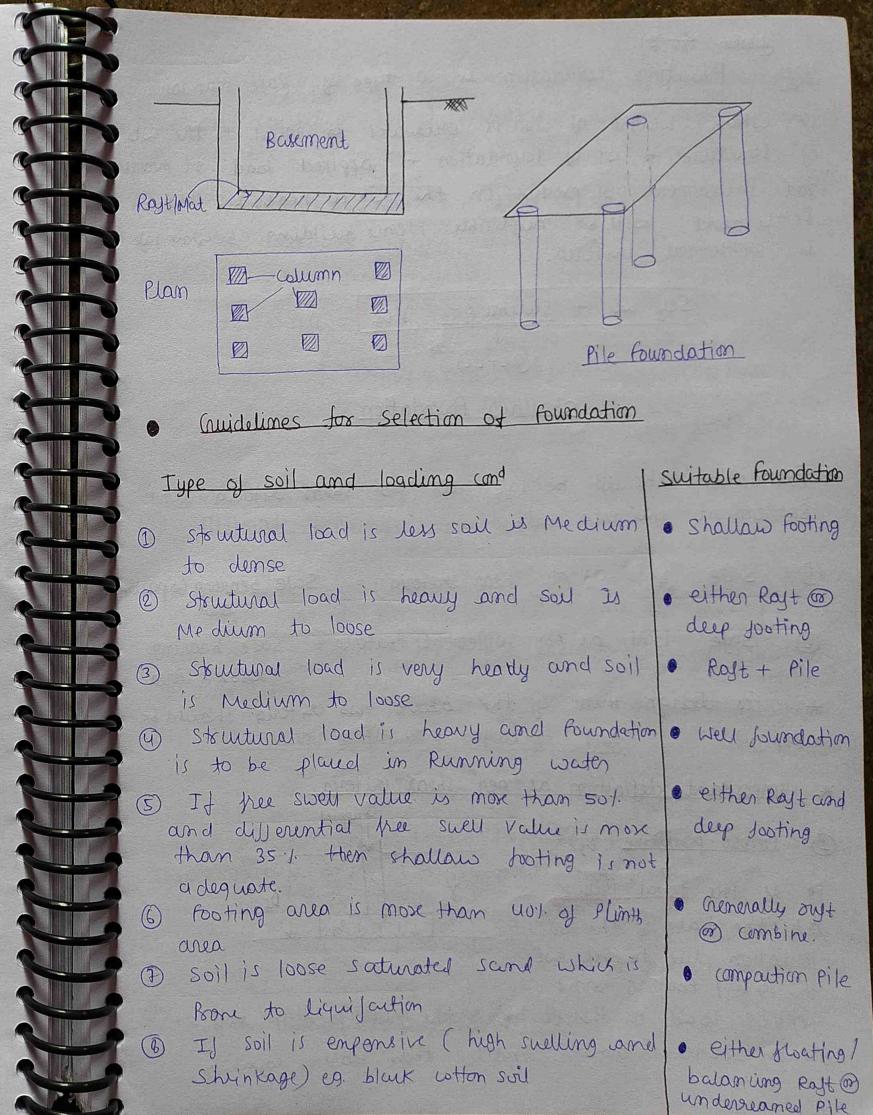
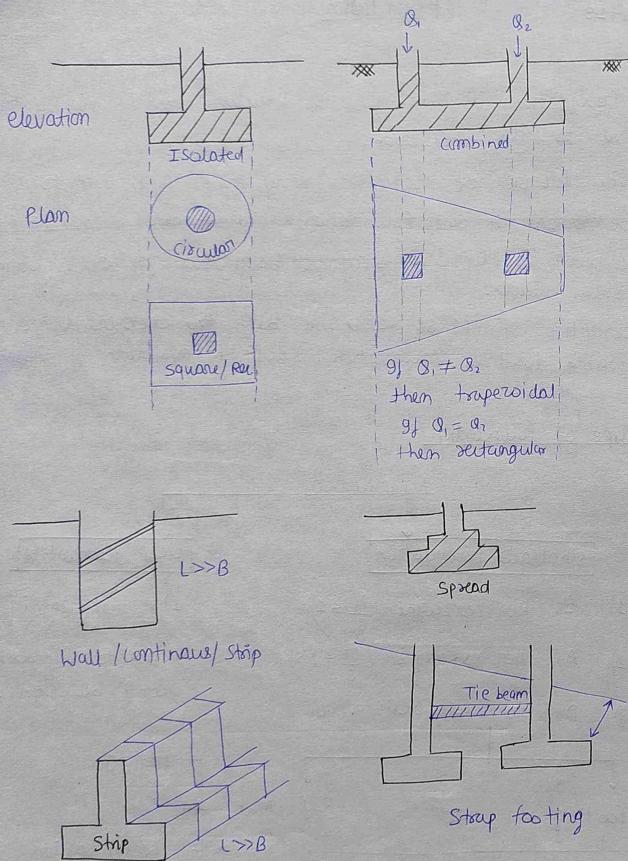
## Foundation

- \* Foundation is that part of structure load is finally transferred to the soil / earth.
- \* The failure of foundation may take's place due to
  - 1) Settlement of soil / Foundation which is called settlement failure
  - 2) Slipping / sliding / of foundation / soil this failure is termed as shear failure.

Foundation should be same in both the criteria Hence allowable load in foundation should be minimum of above two criteria -

### Type of foundation





(Question 3/18)

Note Floating foundation is a type of Raft foundation in which weight of soil is excavated is equal to the wt of structure + wt of foundation + applied load so means net increment of pressure on the soil is negligible. Hence settlement will be negligible. Hence building becomes safe in settlement criteria.

$$\text{Self wt} + \text{Surcharge} = Y D_f$$

↓  
(D.L+L.L)

### Shallow Foundation

\* Foundation should be safe as per shear criteria and settlement criteria both

$$① \text{Safe load as per shear criteria} = \text{Safe bearing capacity} \times \text{Area}$$

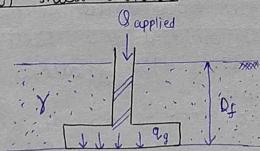
$$② \text{Safe load as per settlement criteria} = \text{Safe bearing pressure} \times \text{Area}$$

\* For design minm of the above two criteria should be adopted.

\* Important definition as per shear criteria

① Gross pressure ( $q_g$ )

It is the total pressure at the base of the foundation due to self wt of soil / footing and applied load on the footing. The gross pressure may be greater, equal and smaller than bearing capacity.



For design gross pressure should be less than safe bearing capacity. In this analysis difference b/w unit wt of concrete and unit wt of soil is neglected.

② Net Pressure ( $q_n$ ) → It is that part of gross pressure at the base of footing which is in axis to the initial effective overburden pressure.

$$q_n = q_g - \bar{\sigma}$$

$$q_n = q_g - Y D_f \quad (\text{If GWT is not present})$$

$$q_n = q_g - Y' D_f \quad (\text{If GWT is present at GL})$$

$$q_n = \frac{Q_{\text{Applied}}}{\text{Area}}$$

③ Ultimate bearing capacity ( $q_u$ )

It is the maxm gross pressure at the base of foundation which can be applied without shear failure. It is the maxm gross pressure at which soil is just fail in shear.

④ Net ultimate bearing capacity ( $q_{nu}$ )

It is the maxm net pressure which can be applied at the base of foundation without shear failure. It is the minm net pressure at which soil just fail in shear.

$$q_{nu} = q_u - \bar{\sigma}$$

If GWT is not present ( $q_{nu} = q_u - Y D_f$ )  
If GWT is present at GL

$$(q_{nu} = q_u - Y' D_f)$$

⑤ Net safe bearing capacity ( $q_{ns}$ )

$q_d$  is that net pressure which can be applied safely at the base of footing without risk of shear failure.

$$q_{ns} = \frac{q_{nu}}{F.O.S.} = \frac{q_u - \bar{\sigma}}{F.O.S.}$$

Generally, F.O.S. is 2.5 to 3

$\bar{\sigma} = \gamma D_f$   $\textcircled{2}$  Use  $\gamma' D_f$  if GWT is present

### ⑥ Safe bearing capacity $q_s / q_{safe}$

1) It is that gross pressure at the base of footing which can be applied safely without risk of shear failure.

$$q_s = q_{ns} + \bar{\sigma} = \frac{q_{nu}}{F} + \bar{\sigma} = \frac{q_u - \bar{\sigma}}{F} + \bar{\sigma}$$

Generally, F.O.S. is 2.5 to 3

$\bar{\sigma} = \gamma D_f$   $\textcircled{2}$  If GWT is present then  $\bar{\sigma} = \gamma' D_f$

Note ① F.O.S. is applied to  $(q_{nu})$  which is increment in the pressure on the soil but not to the  $\bar{\sigma}$  because it is acting from historical time of period.

Note ② Net safe load =  $q_{ns} \times \text{Area}$   
Safe load =  $q_s \times \text{Area}$

### # Settlement criteria

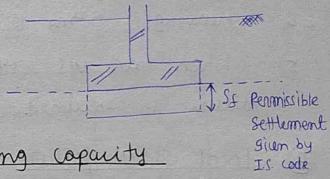
→  $g_d$  footing should be design such that main settlement is restricted below the permissible values permitted by code agencies (BIS) it is already the safe settlement. Hence further F.O.S. is not required.

Net allowable bearing pressure / Net safe settlement factor  
 $(q_{u\text{net}})$

① It is the net increase in pressure at the base of footing without risk of settlement failure.

Allowable bearing pressure

$$= q_{net} + \bar{\sigma}$$

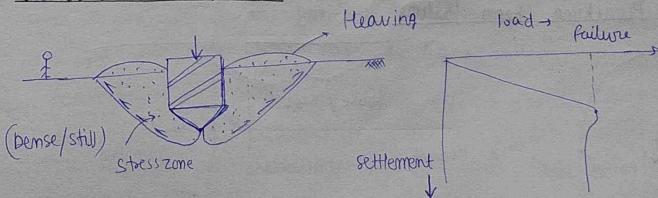


### # Factors Affecting the bearing capacity

- ① Positions of Water table (GWT rise, bearing capacity decreases)
- ② Type of soil and its physical and engineering properties ( $\gamma_s$ ,  $\text{and } \phi$ )
- ③ Type of footing (strip, square, circular, raft)
- ④ Size of footing (depth and breadth)
- ⑤ Type of loading (concentric and eccentric)
- ⑥ Critical stresses on the soil (N.C and O.C)
- ⑦ Nature of ground surface (Horizontal  $\textcircled{2}$  inclined)
- ⑧ Type of shear failure (General, local,  $\textcircled{2}$  Puncturing)

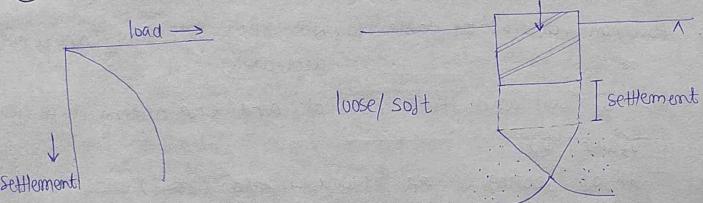
### # Type of shear failure

General shear failure



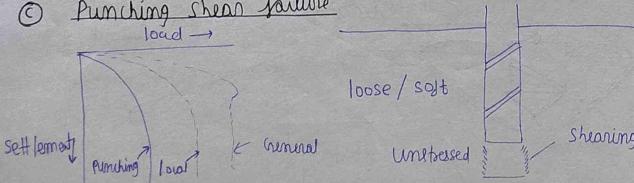
- It occurs in shallow foundation which is placed on dense / stiff soil.
- Before failure, settlement is small
- Stress zone extends upto GL
- Heaving / lifting occurs in the sides after failure
- When load vs settlement curve is plotted, clean cut failure is obtained.

### (B) Local shear failure



- It occurs in shallow foundation which is placed on loose / soft soil.
- Before failure settlement is excessive
- Stress zone does not occur at the GL hence little or no heaving occurs in the sides
- When load vs settlement curve is plotted Progressive failure is obtained

### (C) Punching shear failure



- group
- It occurs in the deep foundation which is placed on loose / soft soil.
  - Excessive settlement found in small time
  - Adjacent soil mass remain unbiased
  - When load vs settlement is plotted, Progressive settlement failure is obtained.

SAND	General	Local
* Friction angle ( $\phi$ ) Standard Penetration	$> 36^\circ$	$< 28^\circ$
* SPT No (N) $\text{for } I_D = 1$	$> 30$	$< 5$
Density index ( $I_D$ )	$> 70\%$	$< 30\%$
Void ratio (e)	$< 0.55$	$> 0.75$

Method to determine bearing capacity

#### ① Static (Analytical Method)

##### Elastic theory

Schuhler's theory

##### Earth Pressure theory

Terzaghi's theory

##### Plastic theory

- Ramankin's theory ( $\phi$ )
- Bell's theory ( $C, \phi$ )
- Packer's th ( $C, \phi$ )
- Fellenius th ( $C, \phi$ )
- Brandl's th ( $C, \phi$ )
- Terzaghi th ( $C, \phi$ )
- Meyerhoff th ( $C, \phi$ )
- Vesic's th ( $C, \phi$ )
- IS Code ( $C, \phi$ )

[WFF] with  $\rightarrow$  Failure

\* Terzaghi theory  $\Rightarrow$

$\Rightarrow$  It is an improvement over Brandl's theory  
Brandl's considered the base of footing to be smooth, whereas Terzaghi considered the base to be rough.

Assumptions

- Foundation is shallow ( $\frac{B}{B} \leq 1$ )
- Base of footing is rough
- Footing is continuous / strip footing ( $L \gg B$ )

it make the analyses 2 Dimensional (along the width and depth only)

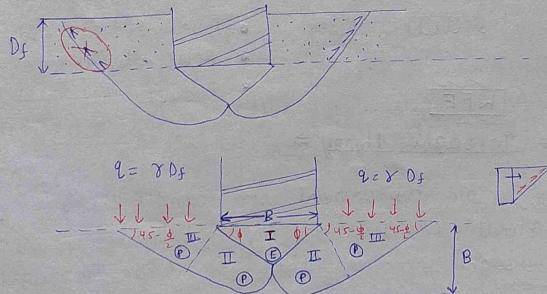
- ④ At the time of failure soil reaches into plastic equilibrium
- ⑤ load is vertical and concentric
- ⑥ ground surface is Horizontal
- ⑦ W.T. is beyond the zone of influence of stressing it means effect of Water table is not considered
- ⑧ Failure is under (General shear failure)

⑨ The stress zone of the soil stressed extend upto foundation level only but not upto the ground level

⑩ The shear resistance of the soil above the foundation level is ignored, it means only base resistance is considered side resistance is ignored

Note: It is the main reason due to which theory is not applicable for deep footing

⑪ The soil above the footing level is removed and replaced by an equivalent surcharge of  $q = \gamma D_f$



### General Shear failure →

#### Zone 1 (Center zone)

Soil get compacted below the footing and become the part of footing. Hence it is in elastic equilibrium. It makes the angle ( $\phi$ ) with the footing.

#### Zone 2 Radial shear zone

It is circular in clayey soil and long spiral in sand and silt. It is in plastic equilibrium

#### Zone 3 linear shear zone @ Rankin's passive zone

It makes an angle ( $45 - \frac{\phi}{2}$ )

Note: ① the stress zone on soil extend upto a Max<sup>m</sup> depth of  $B$  below the foundation. Where 'B' is Breadth of footing

#### # Terzaghi's eqn of ultimate bearing capacity for strip footing

$$q_u = C N_c + q N_q + \frac{1}{2} B \gamma N_r \quad \text{family eqn}$$

$$q_u = (N_c + \gamma D_f N_q + \frac{1}{2} B \gamma N_r) \quad \begin{matrix} \text{for above the soil} \\ \text{I} \end{matrix} \quad \begin{matrix} \text{for below the soil} \\ \text{II} \end{matrix} \quad \begin{matrix} \text{III} \\ \text{for below the soil} \end{matrix}$$

Where  $\gamma$  in 2nd term is for the soil above the base of footing and  $\gamma$  in 3rd term is for the soil below the base of footing.

$C$  → unit cohesion for the soil below the footing

$N_c$  and  $N_q$  are Terzaghi's Bearing capacities which depends upon friction angle  $\phi$  only

$$* \quad q = C \left( \frac{3\pi}{4} - \frac{\phi}{2} \right) \tan \phi \quad N_r = \frac{1}{2} \left( \frac{k_p}{\cos^2 \phi} - 1 \right) \cdot \tan \phi$$

$$N_q = \frac{q^2}{2 \cos^2 \left( 45 + \frac{\phi}{2} \right)} \quad N_c = C \tan \phi \left[ \frac{a^2}{2 \cos^2 \left( 45 + \frac{\phi}{2} \right)} - 1 \right]$$

Special case

for pure cohesive soil / clay  $\phi=0$

$$N_c = 5.7 \quad N_q = 1 \quad N_r = 0 \quad *$$

$$q_u = 5.7c + \gamma D_f + 0$$

$$q_{u\text{mod}} = q_u - \frac{\sigma}{E} = q_u - \gamma D_f = 5.7c$$

### ① Modifications for different shape of footing (shear factor)

For Strip footing  $q_u = (N_c + qN_q + 0.5B\gamma N_r) \rightarrow (\text{dia})$

For square footing  $q_u = 1.3(N_c + qN_q + 0.4B\gamma N_r)$

For circular footing  $q_u = 1.3(N_c + qN_q + 0.3B\gamma N_r) \quad (B \rightarrow \text{dia})$

For rectangular footing  $q_u = (1 + 0.3B)(N_c + qN_q + (1 - 0.2B)\gamma N_r) \quad \text{check } (B-L) \rightarrow \text{square}$

### ② Modifications for the shear failure

i) In among eqn General shear failure is considered but soil may fail in local shear failure also Hence modified shear parameter should be used. Modified friction angle ( $\phi_m$ ) is used to determine ( $N_c$ ,  $N_q$  and  $N_r$ )

$$C_m = \frac{2c}{3} \quad **$$

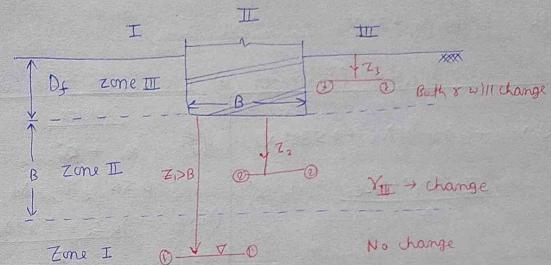
$$\tan \phi_m = \frac{2}{3} \tan \phi$$

$$\phi_m = \tan^{-1} \left( \frac{2}{3} \tan \phi \right) \quad **$$

1st  $\rightarrow$  Local given

2nd  $\rightarrow$   $\frac{N_c N_q N_r}{\gamma} \downarrow$  table and  $\phi < 28^\circ$   
 $\downarrow$  local (question 2 A/C  $\frac{2}{3}\pi$ )

### ③ Effect of Water table on bearing capacity



case I When GWT is in Zone-I at depth  $Z_1$  below the footing such that  $Z_1 > B$

- Water table is beyond the stress zone hence no change in bearing capacity.

case II When GWT is in Zone-II, at depth  $Z_2$  below footing level such that  $0 \leq Z_2 < B$

third  $\gamma$  will change, 2nd  $\gamma$  will remain unadjusted either UK effective parameter  $\Rightarrow$  use Water table correction factor

$$q_u = C'N_c + \gamma D_f N_q + 0.5B(\gamma_w - \gamma)N_r \quad q_u = C'N_c + \gamma D_f N_q + 0.5B(R_i^* - 1)\gamma N_r$$

$$(\gamma_w)_III = \frac{Y_b Z_2 + Y'(B-Z_2)}{B} \quad (R_i^*)_III = \frac{Y_b Z_2 + Y_{sat}(B-Z_2)}{B} \quad R_i^* = \frac{1}{2} \left( 1 + \frac{Z_2}{B} \right)$$

$$\Rightarrow \text{If } Z_2 = 0 \text{ GWT is at footing level} \quad \Rightarrow \text{If } Z_2 = 0 \quad R_i^* = \frac{1}{2} (R_w)_III = Y_{sat}$$

$$(\gamma_w)_III = \gamma' \quad (R_i^*)_III = \gamma \quad q_u = C'N_c + \gamma D_f N_q + 0.5B(\gamma - \gamma')N_r \quad \gamma' \approx \frac{1}{2} Y_{sat}$$

$$q_u = C'N_c + \gamma D_f N_q + 0.5B(\gamma - \gamma')N_r \quad \Rightarrow Z_2 = B \quad R_i^* = 1 \quad (R_w)_III = Y_{sat}$$

$$q_u = C'N_c + \gamma D_f N_q + 0.5B(\gamma - \gamma')N_r \quad \Rightarrow \text{If } Z_2 = B \quad R_i^* = 1 \quad (R_w)_III = Y_{sat}$$

$$\Rightarrow Z_2 = B \quad R_i^* = 1 \quad (R_w)_III = Y_{sat} \quad (\text{No change})$$

case III When GWT is in Zone III, at depth  $Z_3$  below ground level such that  $0 \leq Z_3 \leq D_f$

Both  $\gamma$  will change

either use effective Parameters (i) or Use Water-table correction factor

$$q_u = C' N_c + \gamma' D_f N_q + 0.5 B \gamma' N_r$$

$$(\gamma')_{II} = \frac{Y_b Z_3 + \gamma' (D_f - Z_3)}{D_f} \quad (\gamma')_{III} = \gamma'$$

If  $Z=0$  G.W.T is at ground level

$$(\gamma')_{II} = \gamma' \quad (\gamma')_{III} = \gamma'$$

$$q_u = C' N_c + \gamma' D_f N_q + 0.5 B \gamma' N_r$$

$$q_u = C' N_c + R^* \gamma_{sat} D_f N_q + 0.5 B \left( \frac{1}{2} \gamma_{sat} \right) N_r$$

$$(\gamma')_{III} = Y_b Z_3 + \gamma_{sat} (D_f - Z_3)$$

$$R^* = \frac{1}{2} \left( 1 + \frac{Z_3}{D_f} \right)$$

$$i) Z_3 = 0 \quad R^* = \frac{1}{2} \quad (\gamma')_{III} = \gamma_{sat}$$

$$q_u = C' N_c + \left( \frac{1}{2} \gamma_{sat} \right) D_f N_q + 0.5 B \left( \frac{1}{2} \gamma_{sat} \right) N_r$$

$$(\gamma' \approx \frac{1}{2} \gamma_{sat})$$

Special Case - I for cohesionless soil

$$q_u = (C' N_c)^0 + \gamma' D_f N_q + 0.5 B \gamma' N_r$$

$$q_u = \gamma' D_f N_q + 0.5 B \gamma' N_r$$

If G.W.T rises to G.L.

$$q_u = \gamma' D_f N_q + 0.5 B \gamma' N_r$$

(ii)

$$q_u = \frac{1}{2} \gamma_{sat} D_f N_q + 0.5 B \left( \frac{1}{2} \gamma_{sat} \right) N_r$$

Note (i) In sandy soil, ultimate bearing capacity depends upon width of footing

Note (ii) In sandy soil, ultimate bearing capacity increases to half when water table rises to ground level

Special Case - II for pure cohesive soil / clay ( $b=0$ )

$$N_c = 5, N_q = 1, N_r = 0$$

$$q_u = 5.7 C, N_q = 1, N_r = 0$$

$$q_u = 5.7 C + \gamma' D_f = 0$$

$$q_{nu} = q_u - \bar{\sigma} = 5.7 C$$

If G.W.T rises to G.L

$$q_u = 5.7 C' + \gamma' D_f$$

$$q_{nu} = q_u - \bar{\sigma} = q_u - \gamma' D_f = 5.7 C' \quad (C' \approx C)$$

Note (iii) In clayey soil ultimate bearing capacity is independent of width of footing

Note (iv) Net ultimate bearing capacity is nearly unaffected by the rise of water table

## ② Skempton theory

- It is applicable for pure cohesive soil / clay only
- In this theory side resistance and base resistance both are considered. Hence it is applicable for shallow and deep footing both.
- Net ultimate bearing capacity for clay is

$$q_{nu} = C N_c$$

Where  $N_c \rightarrow$  Skempton bearing capacity factor which depends on  $(\frac{D_f}{B})$  ratio

for ESE

for Strip Footing

$$N_c = 5 \left( 1 + 0.2 \frac{D_f}{B} \right)$$

$$5 \leq N_c \leq 7$$

for square / circular

$$N_c = 6 \left( 1 + 0.2 \frac{D_f}{B} \right)$$

$$6 \leq N_c \leq 9$$

For rectangular

$$N_c = 5 \left( 1 + 0.2 \frac{D_f}{B} \right) \left( 1 + 0.2 \frac{B}{D_f} \right)$$

$$6 \leq N_c \leq 9$$

## ③ Meyerhof theory

- $q_f$  is most generalized theory in which shape factor, depth factor and inclination factor are used to account for shape of footing (strip, square, circular, rectangular, Root)

Depth of footing (shallow or deep) and for inclination of load (vertical or inclined)

Note In this theory the stress zone is considered to be extended upto ground level therefore this theory is applicable for both shallow and deep footing because side resistance is considered.

② Ultimate bearing capacity is given as-

$$q_u = (N_c S_c d_c i_c + q N_q S_q d_q i_q + 0.5 B Y N_r S_r d_r i_r)$$

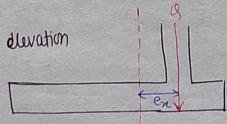
$S_c, S_q, S_r \rightarrow$  Shape factor

$d_c, d_q, d_r \rightarrow$  depth factor

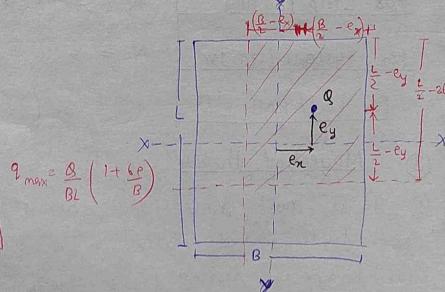
$i_c, i_q, i_r \rightarrow$  inclination factor

$N_c, N_q, N_r \rightarrow$  Meyerhoff bearing capacity depends upon  $\phi$   
For clay ( $\phi=0$ ),  $N_c=5.14, N_q=1, N_r=0$

Note If total load  $Q$  on the footing acts eccentrically it means line of action of  $Q$  is not passing through the C.G. of footing area then width and length should be reduced such that, load will act at the C.G. of reduced area to determine the safe bearing capacity



$$e_{min} = \frac{Q}{BL} \left(1 - \frac{e_y}{B}\right)$$



$$B' = B - 2e_x$$

$$L' = L - 2e_y$$

$$A' = B' * L'$$

$$q_u = (N_c S_c d_c i_c + q N_q S_q d_q i_q + 0.5 B' Y N_r S_r d_r i_r)$$

$$q_s = q_{us} + \bar{\sigma} = \frac{q_{us}}{F} + \bar{\sigma} = \frac{q_u - \bar{\sigma}}{F} + \bar{\sigma}$$

$$\text{Net safe load} = q_{us} * A'$$

$$\text{Safe load} = q_s * A'$$

(Question no. 27A)  
④ I.S. Code Method (IS 6403: 1981)

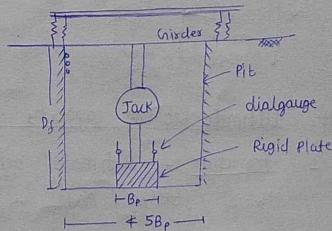
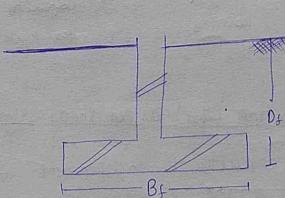
Net ultimate bearing capacity

$$q_{nu} = (N_c S_c d_c i_c + q(N_q - 1) S_q d_q i_q + 0.5 B Y N_r S_r d_r i_r)$$

$$R_y^* = \frac{1}{2} \left(1 + \frac{Z_2}{B}\right)$$

$Z_2 \rightarrow$  G.W.T from footing level  
 $0 \leq Z_2 \leq B, \frac{1}{2} \leq R_y^* \leq 1$

# Plate load test IS: 1888 : 1982

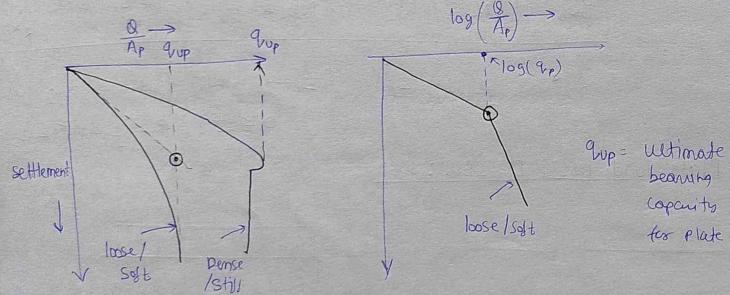


- \* A pit of soil not less than 5 times the size of Rigid Plate is excavated having depth equal to the depth of foundation.
- \* If water table is present at or above the test level then it must be lowered below the test level by pumping

before conducting the test.

- Rigid plate is placed at the center of pit which may have size of 30cm, 45cm, 60cm @ 75cm
- Initially a load of 7KN/m<sup>2</sup> is applied and removed then after 3 dialgauges are attached to the rigid plate to measure the avg settlement
- the load on the plate is applied through jacking mechanism which can be recorded and load settlement curve is plotted by jacking pressure  $\frac{Q}{A_p}$  on X-axis and settlement on Y-axis
- the test is conducted upto the failure (at least until the settlement of about 25mm has occurred)

### # Load vs Settlement Curve



### # Ultimate bearing capacity for footing ( $q_{uf}$ ) as per shear criteria

1) For clay - ultimate bearing capacity is independent of width of footing / plate  $q_{uf} = q_{up}$  \*\*

2) For sand - ultimate bearing capacity is proportional to width of footing / plate

$$q_{uf} = q_{up} \times \frac{B_f}{B_p} \quad **$$

$B_f$  = Width of jacking

$B_p$  = Width of plate

→ Using F.O.S for of 2.5 to 3 safe bearing capacity can be determined

### # Determination of allowable bearing pressure / safe settlement pressure as per settlement criteria

Let  $S_f$  = Permissible settlement of footing given by IS: code that using following empirical Relation, permissible settlement of Plate ( $S_p$ ) can be determined as

$$\frac{S_f}{S_p} = \frac{B_f}{B_p} \quad ** \rightarrow \text{for clay}$$

$$\frac{S_f}{S_p} = \left[ \frac{B_f (B_p + 0.3)}{B_p (B_f + 0.3)} \right]^2 \quad ** \rightarrow \text{for dense soil sand}$$

$$\frac{S_f}{S_p} = \left( \frac{B_f}{B_p} \right)^{m+1} \quad \text{for silt} \quad (m=0.5)$$

→ using above empirical relation Permissible settlement of plate ( $S_p$ ) can be determined and using load vs settlement curve allowable bearing pressure for plate ( $q_{af}$ ) can be determined.

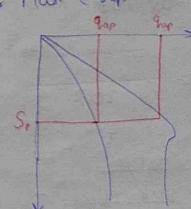
allowable bearing pressure for footing ( $q_{af}$ ) as per settlement criteria

① for clay

$$q_{af} = q_{up} \quad **$$

② for sand

$$q_{af} = q_{up} \times \frac{B_f}{B_p} \quad **$$



Note above computed pressure is safe pressure in which further F.O.S is not required bcz permissible settlement given by IS: code is already safe settlement using F.O.S

Housel approach to find ultimate bearing capacity of foundation

$$Q_u = A_m + P_n$$

→ According to Housel the failure load / ultimate load is sum of area and perimeter of footing / plate load. It is also influenced by soil properties. In this Method (PLT) (Plate load test) is conducted on two rigid plates having areas ( $A_1, A_2$ ) and perimeters ( $P_1, P_2$ ). Corresponding ultimate load is ( $Q_1, Q_2$ ) then

$$Q_1 = A_1 m + P_1 n \quad \text{--- (1)}$$

$$Q_2 = A_2 m + P_2 n \quad \text{--- (2)}$$

From (1) and (2) determine  $m$  and  $n$

→  $m$  and  $n$  are constant which depends upon type of soil

$m$  = bearing pressure below the footing

$n$  = Perimeter shear

\* Ultimate load / failure load for footing

$$q_{uf} = \frac{Q_f}{A_s} \quad A_s \text{ and } P_f \rightarrow \text{Area and Perimeter of footing}$$

Note (1) 201. geobore occurs at 1.5B (where  $B$  = width of footing / plate)

### Limitations

(1) Size effect → Results are not reliable but it represent the behaviour of soil upto lesser depth. While in actual stress isobar extends upto greater depth below the footing.

(2) Shape effect → Result are not applicable for strip footing base ( $L \gg B$ )  $\Rightarrow$

(3) Time effect → It is a short duration test while in actual settlement takes time.

### • Standard penetration test (IS: 2311: 1981)

- ① A split spoon sampler is placed over the soil in a bore-hole of 55 mm to 150 mm dia
- ② Sampler is driven by dynamic mechanism of hammer. The wt of hammer is 65 kg and height of fall of hammer is 75 cm
- ③ Note the SPT No. is defined as no. of blows of hammer required for 300 mm penetration of sampler.
- ④ Unusually test is performed in three stages, 150 mm penetration each and SPT no. is taken as no. of blows required for last 300 mm penetration it means no. of blows required for 1st 150 mm penetration is ignored.
- ⑤ This test is repeated at every 2m-5m interval  $\Rightarrow$  for the change of strata
- ⑥ The observe value of SPT no. are subjected to following two correction applied in sequence.

### # Overburden Pressure correction :

The SPT No. Value for the foundation should be corresponding to the avg SPT. Due to lesser overburden at shallow depth the SPT No. Value gets underestimated and that at greater depth gets overestimated. Hence normalisation is required for the overburden.

Let,  $N_o$  = observe SPT No.

$N_1$  = Corrected SPT No. for overburden

$$N_1 = N_o C_1 = N_o \left( \frac{350}{\bar{\sigma}_o + 70} \right)^{**}$$

$\bar{\sigma}_o$  = Eff. stress at test level ( $\text{KN/m}^2$ )

If  $\bar{\sigma}_o > 250 \text{ KN/m}^2$  then this correction is not required

②

## ② Water table / dilatancy / fine correction →

① IF W.T. is present at  $\oplus$  above the  $\text{fth}$  test level then water table correction is required bcoz due to sudden impact load excess pore pressure develops which  $\uparrow$  the penetration resistance

Note If WT is below the test level then this correction is not required

① Let  $N_2$  is the corrected value for the water table

$$N_2 = 15 + \frac{1}{2}(N_1 - 15) \quad \star\star$$

if  $N_1 < 15$  then the correction is not required

② If test is conducted at different levels say A, B, C, and D then the final SPT no. is taken as the avg of corrected SPT NO.

$$\text{if } N_{\text{final}} = \frac{N_{\text{A}} + N_{\text{B}} + N_{\text{C}} + N_{\text{D}}}{4} \quad (\text{standard penetration test})$$

③ Represented as integers

$$N_{\text{final}} \rightarrow I_B \rightarrow \phi$$

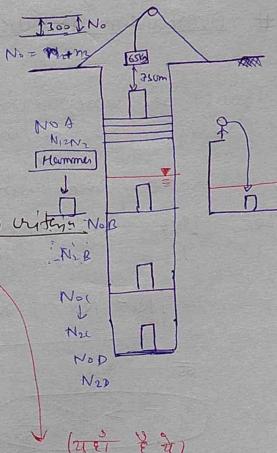
$$N_{\text{Kw}} \rightarrow I_C \rightarrow u' \rightarrow c$$

$$\phi \rightarrow N_1, N_2, N_3$$

# Bearing capacity as per shear criteria

(नदी शर्करा)

i) the final SPT NO value is related to friction angle and relative density which is given in the table using friction angle bearing capacity factor ( $N_1, N_2, N_3$ ) can be determined Hence, ultimate bearing capacity can be determined by any static / analytical method



# Net Allowable bearing pressure as per settlement criteria

सत्र गति (conventional & IS के)

A) Peck-Hansen Eqn

$$q_{\text{net}} = 0.41 S N C_w \quad \text{KN/m}^2$$

$C_w$  = Water table correction factor

$S$  = Permissible settlement of footing given by IS code in (mm)

$$C_w = \frac{1}{2} \left[ 1 + \frac{D_w}{D_f + B} \right] \quad (0 \leq D_w \leq D_f + B)$$

$$\frac{1}{2} \leq C_w \leq 1$$

B) Teng's eqn (for conventional)

GATE के

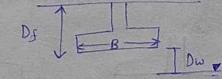
$$q_{\text{net}} = 1.4 \left( \frac{B+0.3}{2B} \right) (N-3) \cdot S \cdot C_w \cdot \alpha$$

$B$  → width of footing in meter

$\alpha$  → Depth correction factor

$$\alpha = \left( 1 + \frac{D_f}{B} \right) (\leq 2)$$

$C_w$  = Water table correction factor  $= \frac{1}{2} \left( 1 + \frac{D_w}{B} \right)$

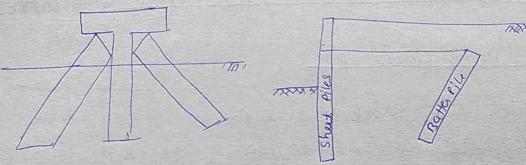


$D_w$  = Depth of W.T. from footing

$$(0 \leq D_w \leq B), \frac{1}{2} \leq C_w \leq 1$$

c) IS Code Method

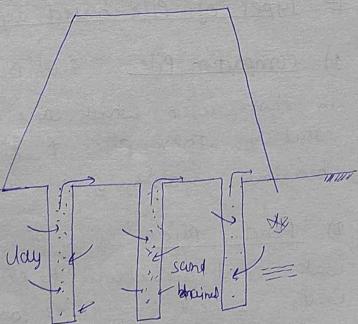
$$q_{\text{net}} = 1.38 \left( \frac{B+0.3}{2B} \right)^2 (N-3) S C_w \quad \text{KN/m}^2$$



## # Types of piles based upon their Material

- 1) Wooden/timber pile
- 2) Steel Pile
- 3) cast-iron pile
- 4) Concrete pile
- 5) Simplex pile
- 6) Franki pile
- 7) Vibro floatation Pile
- 8) Raymond Pile
- 9) Pedestal Pile
- 10) SAND piles

SAND DRAINS are provided to ↑ Rate of consolidation  
Hence all the consideration settlement completed during the construction period only



Smear effect A smear zone is formed around the sand drain due to remoulding permeability in Radial direction decreases  
∴ Remoulded stratum convert disperser stratum due to remoulded

## # Ultimate load carrying capacity of piles ( $Q_{up}$ )

It is the Maximum load which can be applied on the pile without shear failure. It is the sum of end bearing action and friction action.

$$Q_{up} = Q_{eb} + Q_{sf}$$

## # Safe load carrying capacity of pile ( $Q_{safe}$ )

It is the maximum safe load which can be applied on pile without risk of shear failure

$$Q_{safe} = \frac{Q_{up}}{F.O.S} = \frac{Q_{eb} + Q_{sf}}{F.O.S}$$

generally  
F.O.S is 2.5 to 3

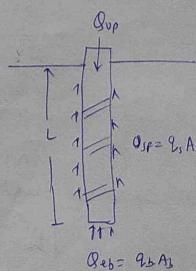
## # Methods to determine load carrying capacity

- 1) Static/ Analytical method
- 2) Dynamic Method
- 3) Field Method
- A) Pile load test
- B) Cyclic Pile load test
- It gives end bearing and skin friction resistance separately
- C) SPT
- D) CPT

### ① Static / Analytical Mtd

	Circular		Square	
	$A_o$	$\frac{\pi}{4} d^2$	$R_o^2 B_2$	$R_o^2 4BL$
$A_s$	$\frac{\pi}{4} d^2$	$TDL$		
			$Q_{sf} = q_s A_s$	$Q_{sf} = q_s A_s$

$$Q_{up} = Q_{eb} + Q_{sf}$$

$$Q_{up} = q_o A_b + q_s A_s$$


## Limitations

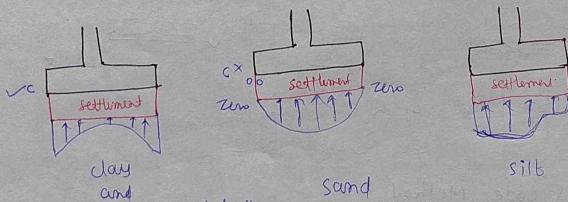
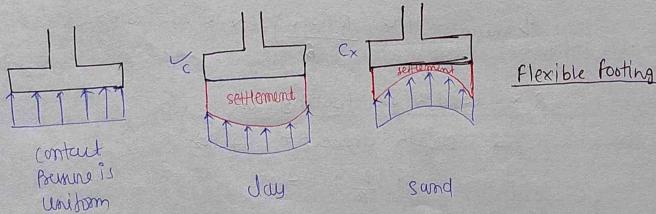
- \* this method is suitable for medium to dense sand. Only bear in loose saturated sand. Liqufaction may occur and in clays remoulding may occur. sand excess pore water pressure may setup.
- \* Not reliable method for determination of C and φ due to empirical Relations

## # contact pressure v/s elastic settlement

### A) For flexible footing

contact pressure is uniform and settlement depends upon type of soil.

$$(E_s)_{\text{soil}} > (E_s)_{\text{concrete}}$$



### Rigid Footing

Settlement will be uniform and contact pressure depends upon type of soils

W.B. ⑬

⑭

$$C = \frac{U_{CS}}{2} = 25$$

$$q_u = 1.3(C_N + \gamma D_f N_q + 48 N_y)$$

$$q_u = 1.3 \times 5.7 \times 25$$

$$q_u = 185.25 \text{ kN/m}^2$$

$$q_{uv} = C_N$$

At surface

$$D_f = 0$$

$$N_q = 6 \left( 1 + 0.2 \times \frac{B}{L} \right) = 6$$

$$q_{uv} = 2.5 \times 6 = 150$$

$$q_u = q_{uv} + \gamma D_f L^2 = 150 \text{ Ans}$$

⑮

$$q_u = 450$$

$$q_{uv} = q_u - \overline{\gamma} = q_u - \gamma D_s = 450 - 20 \times 10 = 430 \text{ Ans}$$

⑯

$$\text{Raft } 6 \times 6$$

$$q_u = \left( 1 + 0.3 \frac{B}{L} \right) (C_N + \gamma D_f N_q + 0.5 \left( 1 - 0.2 \frac{B}{L} \right) \gamma D_f L^2)$$

$$q_{uv} = q_u - \gamma D_f = \left( 1 + 0.3 \times 6 \right) \times 120 \times 5.7 = 826 \text{ kN/m}^2$$

⑰

$$\text{PLT} \quad P = 0.6 \text{ m} \\ f = 3 \text{ m}$$

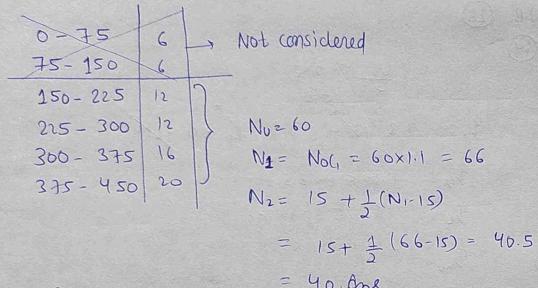
LAND

$$\frac{S_f}{S_p} = \left( \frac{(B_p \times (B_p + 0.3))}{(B_p \times (B_p + 0.3))} \right)^2$$

$$S_f = \left( \frac{3(0.6 + 0.3)}{0.6(0.6 + 0.3)} \right)^2$$

$$S_f = 92 \text{ mm}$$

Q-36



(47) Square footing 2.5m x 2.5m

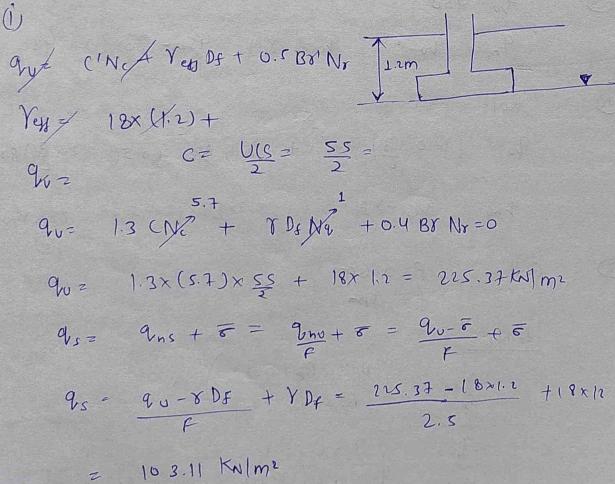
$$D_f = 1.2m$$

$$Y_b = 18 \text{ kN/m}^3$$

$$UCL = 5.5 \text{ kN/m}^2$$

Safe bearing capacity  $F.O.S = 2.5$

①



S Kempton

$$q_{mv} = 6 \left( 1 + 0.2 \frac{D_f}{B} \right) = 6 \left( 1 + 0.2 \times \frac{1.2}{2.5} \right) = 8.57$$

$$q_{mv} = CN_c = 27.5 \times 6.57 = 180.84 \text{ kN/m}^2$$

$$q_s = q_{ns} + \bar{\sigma} = \frac{q_{mv} + \bar{\sigma}}{F} = \frac{180.84}{2.5} + 1.6 \times 1.2 = 93.33 \text{ kN/m}^2$$

Q-40

$$N_a = 33.3$$

$$N_r = 37.16$$

$$F_{qs} = F_{rs} = 1.314$$

$$F_{qd} = F_{rd} = 1.113$$

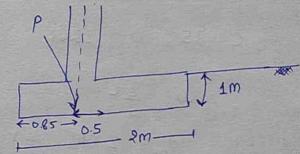
$$F_{qr} = 0.444$$

$$F_{fr} F_b = 0.02$$

$$F_{qi} = 0.444$$

$$Y = 1.8 \quad F.O.S = 3$$

Net safe load



$$B' = B - 2e_x = 2 - 2 \times 0.15 = 2 \times 0.85 = 1.7m$$

$$L' = L = 2m$$

$$q_{vu} = CN_c (S_{cd} q_{iq}) + Y D_f N_r (S_{qr} q_{iq}) + 0.58 Y' N_r / (S_{dr} r_i r)$$

$$q_{vu} = 18 \times 1.6 (3.233) [1.314 \times 0.444 + 1.113] + 0.5 \times 1.7 \times 1.8 \times 37.16 = 16 (1.314 \times 1.13 \times 0.02)$$

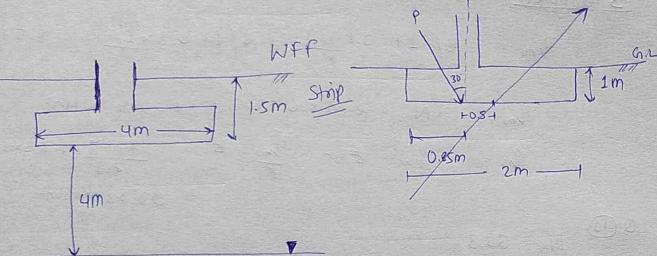
$$q_{vu} = 405.84 \text{ kN/m}^2$$

$$q_{mo} = \frac{q_{vu} - \bar{\sigma}}{F} = \frac{405.84 - 18 \times 1}{3} = 129.3 \text{ kN/m}^2$$

$$\text{Net safe load} = q_{ns} * B' * L = 129.3 \times 1.7 \times 2 = 439.5 \text{ kN}$$

(42)

$$C = 35, \phi = 28.63$$



$$C = 35, \phi = 28.63$$

$$G_0 = \frac{2}{3} C$$

$$q_{vu} = \frac{2}{3} CN_c + \gamma D_f N_a + 0.5 B \gamma N_r$$

GWT is at depth B below footing them  $\rightarrow$  No effect of GWT

$$q_{vu} = \frac{2}{3} * 35 * 17.7 + 17 * 1.5 * 24 + 215 * 4 * 17 * 5 \\ = 77.1 \text{ kN/m}^2$$

$$q_{vns} = \frac{q_{vu} - \bar{\epsilon}}{F} = \frac{q_{vu}}{F} - \bar{\epsilon} = \frac{77.1 - 17 * 1.5}{2.5} \\ = 298.44 \text{ kN/m}^2$$

$$q_{mu} = (N_c)$$

$$N_c = 6 \left( 1 + 0.2 \frac{D_f}{B} \right) = 6 \left( 1 + 0.2 * \frac{1.5}{2.5} \right) = 6.57$$

$$q_{mu} = (N_c) = 275 * 6.57 = 180.84 \text{ kN/m}^2$$

$$q_s = q_{mu} + \bar{\epsilon} = \frac{q_{mu}}{F} + \bar{\epsilon} = \frac{180.84}{2.5} + 18 * 1.2 \\ = 93.93 \text{ kN/m}^2$$

circular footing

$$D_f = 1.2 \text{ m}$$

Safe load = 800 kN at the base of footing

$$\text{Area} = ?, \text{ F.O.S} = 3, e = 0.55$$

$$\text{degree of saturation} = 0.55$$

$$\phi = 30^\circ$$

$$G = 2.65, C = 8 \text{ kN/m}^2$$

$$N_c = 17.2, N_a = 22.5, N_r = 19.7$$

$$q_{vu} = 1.3 N_c C + \gamma N_a + 0.3 B \gamma N_r \\ = 1.3 * 17.2 * 8 + 9 * (22.5) + 0.3 * 1849 * (19.7)$$

$$q_{vs} = \frac{\text{Safe load}}{\text{Area}} = \frac{800 \text{ kN}}{\frac{\pi}{4} d^2}$$

$$q_{vs} = \left( \frac{q_{vu} - \bar{\epsilon}}{F} + \bar{\epsilon} \right)$$

$$\gamma_d = \frac{\gamma_b}{1+w}$$

$$\gamma_d = \frac{G \gamma_w}{1+w}$$

$$q_{vs} = \left\{ \frac{1.3 (N_c + \gamma D_f N_a + 0.3 B \gamma N_r - 8 D_f + 8 D_f)}{F} \right\} Y_d = \frac{2.65 * 9.81}{1 + 0.55} \\ S_e = w G = 16.77$$

$$\frac{800}{\frac{\pi}{4} d^2} = \frac{(1.3 * 8 * 17.2 + 18.5 * 1.3 * 22.5 + 0.3 * D * 18.5 * 19.7) - (18.5 * 1.3)}{3} \\ D = 1.62 \text{ m} \quad \text{Ans}$$

$$0.55 * D_f = w * 2.65$$

$$w = \frac{0.55 * 0.5}{2.65}$$

$$w = 0.103$$

$$16.77 = \frac{\gamma_b}{1 + 0.103}$$

$$(18.49 \text{ kN/m}^2 = \gamma_b)$$

## CHAPTER - 12

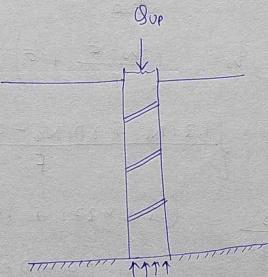
### PILE'S FOUNDATION

Types of pile's on the basis of their Action

#### ① End bearing pile

$$Q_{up} = Q_{eb}$$

- Resistance is due to end bearing
- Point resistance
- Such piles are rest over stiff / hard strata
- Depth of such piles will be same as the depth of hard strata



#### ② Friction / Floating / Hanging piles

$$Q_{up} = Q_{sf}$$

- 1) Such piles are provided in soft / loose soil mass which is extended upto great depth

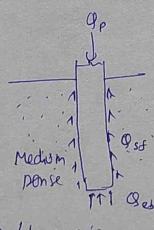
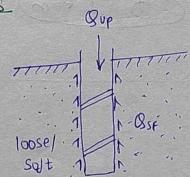
- 2) Resistance is due to skin friction action length may be 10m to 20m

#### ③ End bearing and friction pile

$$Q_{up} = Q_{eb} + Q_{sf}$$

- 1) Resistance is due to end bearing and skin friction both.

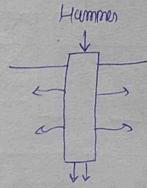
- 2) Such pile are provided in medium / dense soil



### # Types of piles based upon their Installation

#### ① Driven / Displacement pile

- 1) Such piles are driven through the hammering action. During installation of pipe soil get displaced. Hence also called displacement pile



- 2) End bearing and skin friction properly developed in these piles

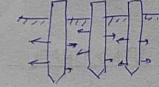
- 3) Such piles are essentially precast piles made of wood / metal

#### ② Bored Pile / Non-displacement pile

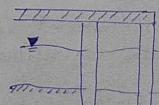
- 1) Such piles may be pre-cast or cast in-situ efficiency of such pile will be less than driven pile

### # Types of Pile based upon their function

- 1) Compaction Pile Such piles are provided in those areas which are prone to liquefaction. These piles increase the density and bearing capacity of pile



- 2) Fender Pile Such piles are provided in water front structures to prevent tides waves caused by ships and seismic activities



- 3) Cutter Pile Such piles are provided in inclined directions to prevent horizontal thrust or inclined forces

- 4) Sheet Pile Such piles are provided to retain earth mass to prevent piping below the dams

⇒ For clay

$q_{b_b}$  = Unit end bearing  
Resistance ≈ ultimate bearing  
capacity at base

As per Meyerhoff

$$q_{b_b} = (N_c = 9c)$$

c → unit cohesion at the base  
of pile

Pile load capacity in clay

$$Q_{op} = Q_{eb} + Q_{sf}$$

$$= q_{b_b} A_b + q_s A_s$$

$$Q_{op} = 9c A_b + \alpha \bar{c} A_s$$

(Δ- eqn)

$q_s = \text{unit skin friction Resistance}$   
= unit adhesion

$$q_s = \alpha \bar{c}$$

$\bar{c}$  = avg cohesion

$\alpha$  = Adhesion factor / shear mobilization factor

$\alpha = 0.6$  to  $0.9$  for soft clay

$\alpha = 0.4$  to  $0.6$  for medium clay

$\alpha = 0.2$  to  $0.4$  for stiff clay

As per meyerhoff

$$q_u = C N_c^{\phi} + Y D_f N_a + 0.5 B Y N_r$$

$$Y D_f N_a \ggg 0.5 B Y N_r$$

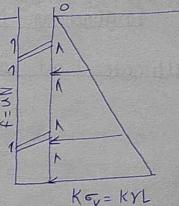
$$q_u = Y D_f N_a = Y L N_a$$

$q_s = \text{skin unit friction Resistance}$

$$q_s = uN = \tan \delta (\text{avg earth pressure})$$

$$q_s = \tan \delta \left( \frac{o + K\sigma_v}{2} \right)$$

$$= \tan \delta \left( \frac{o + K\sigma_L}{2} \right)$$



$$q_s = \frac{1}{2} K\sigma L \tan \delta$$

K → earth pressure coefficient

$\delta$  → friction angle angle b/w pile and soil

Pile load capacity in sand

$$Q_{op} = q_{b_b} A_b + q_s A_s$$

$$Q_{op} = \gamma L N_a (A_b) + \frac{1}{2} K\sigma L \tan \delta (A_s) \quad \text{Δ- eqn}$$

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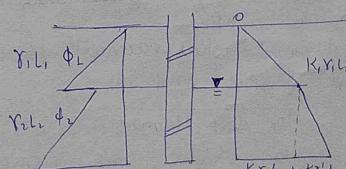
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avg tanδ As

Note ①

$q_{b_b}$  = Unit end bearing Resistance  
ultimate bearing capacity at base

$$q_{b_b} = \gamma L N_a$$

$\gamma$  → unit wt along the length of pile

Note ②

As per IS 183 (2011)  $\delta = \phi$

(पारा के effect neglect  
में दिये दिये दिये दिये  
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## ② Dynamic method

This analysis is based on the assumption

that the dynamic resistance to dry the pile is equal to the ultimate load capacity using static method

i) In this Method K.E / Potential energy of hammer is equated to the work done by the pile when it penetrates through the soil + loss

### A) Engineering News Record formula (ENR formula)

ultimate load carrying capacity

$$Q_{up} = \frac{WH}{S+C} \quad \text{***}$$

For drop hammer and  
for single acting steam Hammer (SASH)

$$Q_{up} = \frac{(W+ap)H}{(S+C)} \quad \text{for double acting steam Hammer (DASH)}$$

Safe load carrying capacity

$$Q_{safe} = \frac{Q_{up}}{F} = \frac{Q_{up}}{6} \quad [FOS=6]$$

W → Weight of Hammer (KN)

H → Height of free fall of Hammer (cm)

S → settlement of pile per blow of Hammer (cm)

a → area of Hammer / piston over which steam pressure 'p' is applied

C → elastic constant which accounts for elastic settlement of pile and soil.

\*  $C = 2.5 \text{ cm}$  for drop Hammer

$C = 0.25 \text{ cm}$  for Steam Hammer (SASH and DASH)

$$\checkmark (Q_{safe})_{drop} = \frac{1}{6} \left( \frac{WH^2}{S+2.5 \text{ cm}} \right) \quad \checkmark (Q_{safe})_{SASH} = \frac{1}{6} \left( \frac{WH}{S+0.25 \text{ cm}} \right)$$

### B) Hiley's formula

Ultimate load carrying capacity

$$Q_{up} = \eta_w \eta_b \frac{WH}{S+C} \frac{1}{2}$$

$\eta_b$  = efficiency of Hammer

$\eta_b = 1$  for drop Hammer

$\eta_b = 0.75 - 0.85$  for SASH

$\eta_b = 0.7 - 0.8$  for DASH

⇒  $\eta_b$  = efficiency of Hammer blow

$$\eta_b = \frac{W+e^2 b}{W+b}$$

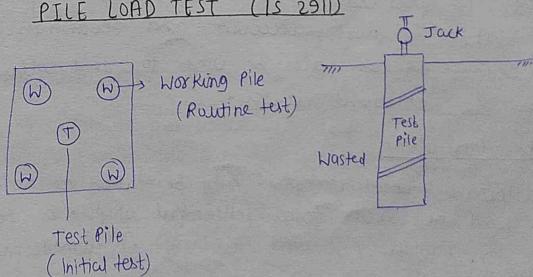
~~$$\eta_b = \frac{W+e^2 b}{W+b} - \left( \frac{W-e^2 b}{W+b} \right)^2, \quad W < e^2 b$$~~

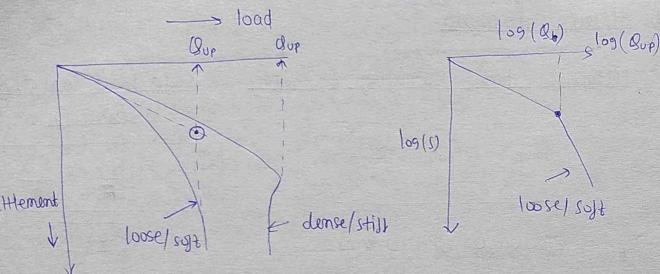
W → Wt of hammer

b → wt of pile

e → co-eff of restitution

### A) PILE LOAD TEST (IS 2911)





- The load on the test pile is applied through Janbergs mechanism and settlement of pile is recorded.
- Load-settlement curve is plotted in which shear failure is represented by either progressive failure or by sudden settlement at faster rate and hence ultimate load carrying capacity is determined.
- In this method loaded by becomes waste it is a destructive test.

Note - Routine test is conducted in working pile in which 15 times of allowable load is applied and settlement is recorded.

→ This method is most accurate and recommended by IS code. It can also be used to find allowable load as per settlement criteria.

#### IS code guideline

- ① The allowable load on pile may be taken as 50% of ultimate load at which total settlement of pile is 10% of its dia in normal pile and 7.5% of unreamed BULL dia in unreamed pile.
- ② Allowable load on pile may be taken as  $\frac{2}{3}$  of ultimate load at which total settlement is 12mm.

③ Allowable load in pile may be taken as  $\frac{2}{3}$  of the ultimate load at which net plastic settlement is 6mm.  
(Remove from IS code)

#### c) SPT (Standard Penetration test)

let  $N \rightarrow$  SPT No. at the base of pile

$\bar{N} \rightarrow$  avg. SPT No. along the length of pile

(GET STAT Question civil service का क्या अर्थ है?)

As per Meyerhof

For driven / displacement pile

$$Q_{up} = q_b A_b + q_s A_s$$

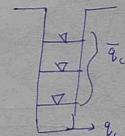
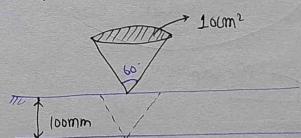
$$Q_{up} = 400 N A_b + 2 \bar{N} A_s \text{ (KN)}$$

For Bored pile

$$(Q_{up})_{Bored} = \frac{1}{3} (Q_{up})_{driven}$$

$$(Q_{up})_{Bored} = \frac{1}{3} (400 N A_b + 2 \bar{N} A_s)$$

#### Dutch/ static cone Penetration test



$$q_c = \text{kg/cm}^2$$

→ the vertex angle of cone is 60°.

# The cone is penetrated into the soil for 100mm and when penetration is 100mm the cone penetration of the soil is determined in  $\text{kg/cm}^2$  which is called static cone resistance  $q_c$ .

# let  $q_c$  is cone penetration resistance at the base of pile

#  $\bar{q}_c$  is avg penetration resistance along the length of pile

(नंदी आगे है)

### For driven / displacement pile

$$Q_{up} = q_b A_b + q_s A_s$$

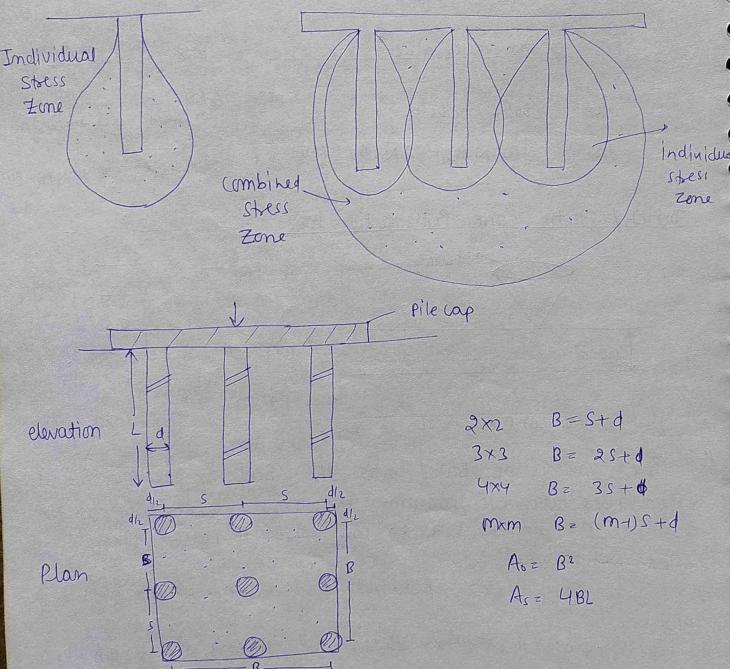
$$Q_{up} = q_c A_b + \frac{q_c}{2} A_s \text{ (KN)}$$

### For Boxed pile

$$(Q_{up})_{boxed} = \frac{1}{3} (Q_{up})_{driven}$$

$$(Q_{up})_{boxed} = \frac{1}{3} \left( q_c A_b + \frac{q_c}{2} A_s \right)$$

### # GROUP ACTION OF PILE :-



$$\begin{aligned} 2 \times 2 & B = S + d \\ 3 \times 3 & B = 2S + d \\ 4 \times 4 & B = 3S + d \\ \text{Max} & B = (m-1)s + d \end{aligned}$$

$$\begin{aligned} A_s &= B^2 \\ A_s &= 4BL \end{aligned}$$

\* If applied load is large and more no. of piles are used then either piles will acts individually or in the group depending upon the spacing below the pile.

\* If center to center spacing is  $2.5d - 4d$  then soil gets compacted b/w piles and entire wedges of size  $(B \times B)$  may acts as a single pile then such action is called Group action of piles.

\* In group action end bearing resistance and skin friction resistance both will  $\uparrow$ .

\* In group action depth of stress zone extend upto greater depth than in individual action therefore settlement due to consolidation in group action will always be greater than settlement in individual action.

\* Minimum no. of piles required for group action is three.

\* For group action center to center spacing should be

for end bearing action  $2.5d - 3.5d$

for friction action  $3d$  to  $4d$



\* If pile are to be driven then pile driven mechanism should start from center and proceed radially outward in this process resistance in pile driven is less hence cheaper.

### 1) Load carrying capacity of pile group ( $Q_{ug}$ )

#### ① For clay

$$Q_{ug} = q_b A_b + q_s A_s$$

$$Q_{ug} = q_c C B^2 + C (4BL)$$

#### ② For sand

$$Q_{ug} = \gamma L N_q (B^2) + \frac{1}{2} K \gamma L \tan \phi (4BL)$$

$\alpha = 1$   $\Rightarrow$   $d=1$ : cohesion in b/w soil and soil

$S = \phi$ : friction in b/w soil and soil

② Safe load carrying capacity of pile group

$$Q_{\text{safe}} = \left[ \frac{Q_{\text{up}}}{F} + \frac{n Q_{\text{up}}}{F} \right] \min \quad m = \text{No. of piles in group}$$

$Q_{\text{up}} = \text{Individual capacity of pile}$   
 $F.O.S = 2.5 \text{ to } 3$

3) Group efficiency ( $\eta_g$ ) : It is the ratio of load carrying capacity of pile group to the sum of individual pile load capacity

$$\eta_g = \frac{Q_{\text{up}}}{m Q_{\text{up}}} \quad \text{If } \eta_g \geq 1 \text{ then}$$

$$Q_{\text{safe}} = \frac{n Q_{\text{up}}}{F}$$

4) Converse - Labourne formula of Group efficiency

For ESE के लिए ② Conventional

साइड है इटी

$$\eta_g = \left[ 1 - \frac{\phi}{90} \left\{ \frac{m(m-1) + n(n-1)}{mn} \right\} \right]$$

$m \rightarrow \text{No. of Rows}$   
 $n \rightarrow \text{No. of Columns}$   
 $\phi \rightarrow \text{Arc tan Value} = \tan^{-1}\left(\frac{d}{s}\right)$

5) Guidelines for design of pile group (कनेक्शन से अपार्ट)

① Length → for friction pile group length should be 10m - 20m whereas for end bearing pile length will be equal to the depth of hard strata.

② Diameter → 0.45 m to 1m

③ Spacing → 2.5d to 4d because generally 3d is provided

④ No. of piles → Prefer square by group such as 3/3 4/4

5/5 etc

⑤ Group efficiency  $\eta_g$  should be greater than equal to 1

⑥ Group settlement ratio  $\eta_s$  is the ratio of settlement of pile group to the settlement of individual pile. It is always greater than 1 and may be as high as 16.

$$\eta_s = \frac{s_g}{s_i}$$

\* determination of settlement of pile group in clays

case ① When pile group is end bearing pile group

Step ① Assume an imaginary equivalent raft of  $B \times B$  at the base of pile group

Step ②  $H_o$

Step ③  $=$  at c/c of compressible layer

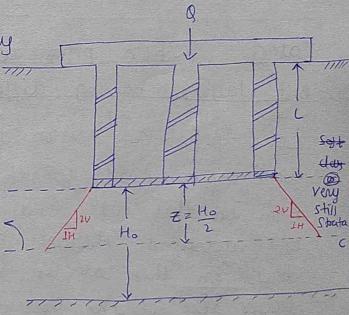
Step ④ load distribution in 2V:LH ( $m=0.5$ )

$$\Delta \bar{e} = \frac{\text{force}}{\text{area}} = \frac{Q}{(B+2nZ)^2} = \frac{Q}{(B+Z)^2}$$

Step ⑤ Ultimate settlement

$$S_g = \Delta H = \frac{H_o c}{1+e_0} \log \left( \frac{\Delta \bar{e} + \Delta \bar{e}_0}{\Delta \bar{e}_0} \right) \quad \left[ \eta_s = \frac{s_g}{s_i} \right]$$

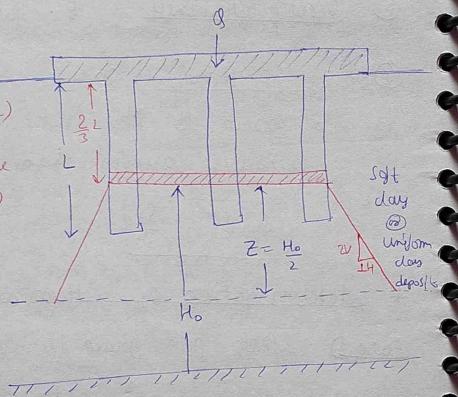
(imp) \* \* \* \* When piles are driven through uniform clay deposit and pile group acts as a friction pile group



o Assume an

imaginary equivalent  
gt at  $\frac{2L}{3}$  from the (nL)

remaining steps are same  
as that of previous case

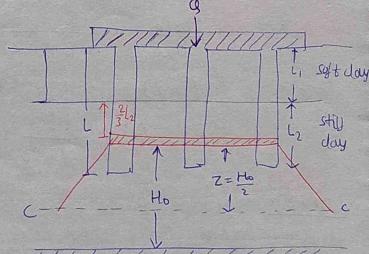


Case (3) When piles are driven through two different layers having different density

(~~most important~~ ज्ञान अपॉर्टमेंट में)

Let length of pile in top soft clay layer is  $L_1$   
and embedded length is bottom stiff clay layer is  $L_2$   
then in this case end bearing and skin friction both  
will develop through stiff clay. Hence the equivalent  
depth in this case is assumed at  $\frac{2}{3}L$  below the top  
layer rest of the procedure is similar to (case 1).

G.S.R for sand



# G.S.R in sand

$$G.S.R = \left( \frac{4B + 2.7}{B + 3.6} \right)^2$$

$B \uparrow \rightarrow G.S.R \uparrow$

# Negative skin friction

gt is the phenomenon in which soil surrounding to the pile settles ~~more than~~ the settlement of pile's under such can friction on the pile cuts downward which reduces the load carrying capacity of pile. This can occur when soil surrounding to the pile is loose/soft/organic/film

→ Following cond may cause  
Negative skin friction

- 1) Increase in surcharge over the surrounding soil
- 2) Lowering of ground water table
- 3) Disturbance due to seismic activity and other dynamic loading.

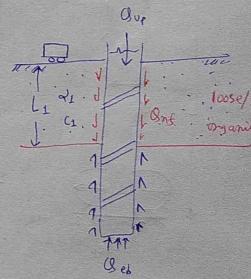
$$\Omega_{up} = \Omega_{eb} + \Omega_{sf} - \Omega_{nf}$$

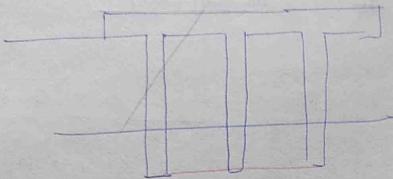
$\Omega_{nf}$  = Negative skin friction

- For clay  $\Omega_{nf} = \alpha_1 \bar{\gamma} (\pi d L_1)$
- For sand  $\Omega_{nf} = \frac{1}{2} K Y L_1 \tan \delta (\pi d L_1)$

- For group

$$\begin{cases} \text{Group Action} & T_1 \cdot (4BL_1) + (\text{wt of soil in negative zone}) \\ \text{Individual Action} & \bullet (\alpha_1 \bar{\gamma} \pi d L_1) \end{cases}$$

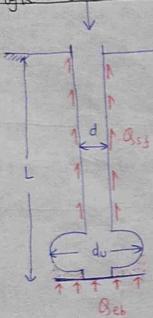




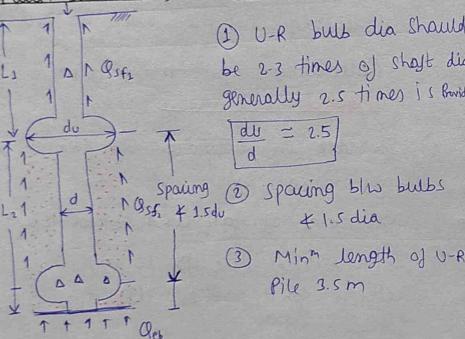
### # Under - Reamed Pipe

It is used in expansive soils which shows high swelling and shrinkage to prevent the uplift pressure caused by swelling of soil such as in Black Cotton Soil.

### (Single Bulb U-R Pile)



### (Multi-bulb U-R pile)



### Guidelines in U-R pile

- ① U-R bulb dia should be 2-3 times of shaft dia generally 2.5 times is provided.
- ② Spacing b/w bulbs  $\geq 1.5 \text{ dia}$
- ③ Min. length of U-R pile 3.5m

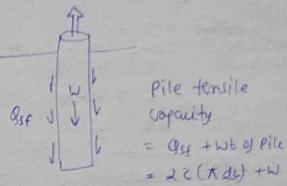
- ④ First bulb should be provided at 1.5m @ 2d0 wherein because swelling potential decreases with depth
- ⑤ These pile will be essentially cast-in-situ bored pile
- Ultimate load carrying capacity of single bulb (U-R) pile

$$Q_{up} = q_s A_b + q_s A_s = q_s c \left( \frac{\pi}{4} d^2 \right) + \sigma_c (\pi d L)$$

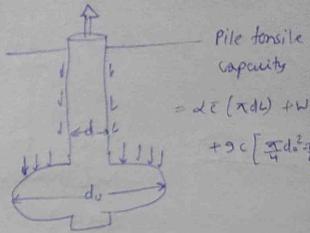
- Ultimate load carrying capacity of multi-bulb U-R pile

$$Q_{up} = Q_{sb} + Q_{sf_1} + Q_{sf_2} = q_s c \left( \frac{\pi}{4} d^2 \right) + q_s t_1 (\pi d L_1) + q_s t_2 (\pi d L_2)$$

### • Pile tensile capacity (Pile pulling test)



$$\begin{aligned} \text{Pile tensile capacity} &= Q_{sf} + \text{Wt of Pile} \\ &= 2c(\pi dL) + W \end{aligned}$$



$$\begin{aligned} \text{Pile tensile capacity} &= 2c(\pi dL) + W \\ &+ q_s c \left[ \frac{\pi d^2}{4} \right] \end{aligned}$$

$$10) \quad 0.5 \text{ m dia}$$

$$L = 16 \text{ m}$$

$$q_{sf} = 100$$

$$c = 50$$

$$Q_{up} = Q_{sf} = \sigma_c (\pi dL) \\ = 0.75 \times 50 (\pi \times 0.5 \times 16) = 540 \text{ kN}$$

$$11) \quad Q_{up} = \frac{WH}{(S+C)} = \frac{WH}{(S+2.5 \text{ m})} = \frac{25 \text{ kN} (2.5 \text{ m})}{1.2 \text{ cm} + 2.5 \text{ m}} = 540 \text{ kN}$$

$$Q_{safe} = \frac{Q_{up}}{6} = 90 \text{ kN}$$

$$37) \quad \text{single vertical friction dia} = 500 \text{ mm}$$

$$\text{length} = 20 \text{ m}$$

$$\phi = 30^\circ$$

$$\gamma_d = 20 \text{ kN/m}^3$$

$$S = \frac{2d}{3}$$

$$K = 2.7$$

$$N_q = 25$$

### Ultimate bearing capacity (kN)

$$\begin{aligned} Q_{up} &= Q_{up} + Q_{sf} \\ &= q_s A_b + q_s A_s \\ &= q_s b \times \frac{\pi}{4} (0.5)^2 + q_s \times \left( \frac{\pi}{4} d^2 \right) \end{aligned}$$

$$q_s = \sigma_c$$

$$Q_{up} = Q_{sf} = Y L N_y A_b + \frac{1}{2} K Y L \tan S (\pi d L)$$

$$Q_{up} = \frac{1}{2} \times 2.7 \times 20 \times 20 \text{ kNm}^3 \tan\left(\frac{\pi}{3}(20)\right) \times (\pi \times 0.5 \times 20) \\ = 617.4 \text{ kN}$$

Solve (2)  
 Dia = 30cm  
 Net load = 2500kN  
 $\Delta H = ?$

$m = 0.5$

Step (1)

$$\textcircled{1} \quad H_o = 10 \text{ m}$$

$$\textcircled{2} \quad \bar{e}_o = (3Y_1 + 2Y_2 + 8Y_3) - 10Y_o \\ = 3 \times 16 + 2 \times 19 + 8 \times 20 - 10 \times 10 = 146$$

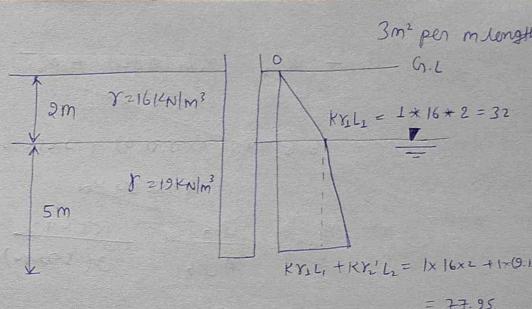
$$\textcircled{3} \quad \Delta \bar{\sigma} = \frac{\text{force}}{\text{area}} \\ = \frac{g}{(B+2)} \\ = \frac{2500}{(25+5)^2} = 44.44 \text{ kN/m}^2$$

$$\textcircled{4} \quad \Delta H = \frac{H_o c_c}{1+e_o} \log\left(\frac{\bar{e}_o + \Delta \bar{\sigma}}{\bar{e}_o}\right) = \frac{10 \times 0.25}{1+0.75} \log\left(\frac{146 + 44.44}{146}\right) \\ = 114.86 \text{ m} \\ = 114.8 \text{ mm}$$

3m<sup>2</sup> per m length

Answer (43)

(43)



Homogeneous sand

$$\phi' = 32^\circ$$

$$K = 1.0$$

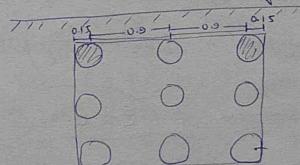
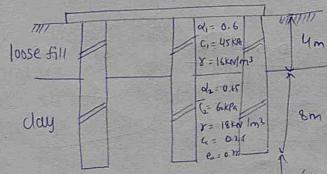
$$S = 23^\circ$$

(total axial frictional)  
(KN)

(45) Solution

$$\text{dia} = 0.3 \text{ m}$$

$$\text{P.O.S} = 2.5$$



$$\textcircled{1} \quad H_o = 10 \text{ m}$$

$$\textcircled{2} \quad \bar{e}_o = [3Y_1 + 2Y_2 + 8Y_3] = 3 \times 16 + 2$$

$\Delta \text{ang} \tan S A_s$

$$\left[\frac{0+32}{2}\right] \tan 23^\circ \cdot (3 \times 2)$$

⊕

$\Delta \text{ang} \tan S A_2$

$$\left(\frac{32 + 77.95}{2}\right) \tan(23)(3+5)$$

↓

$$330.18 \text{ kN}$$

$$\textcircled{1} \quad M_g = \frac{Q_{up}}{m Q_{up}}$$

$$Q_{up} = 8 \times 60 \times$$

$$B = 0.1 \text{ m}$$

$$Q_{up} = Q_{sf} + Q_{sf}$$

$$= C_1 (4BL_1) + C_2 (4BL_2)$$

$$= 45(4 \times 2.1 \times 4) + 60(4 \times 2.1 \times 8) \\ = 55.41 \text{ kN}$$

$$Q_{up} = Q_{sf_2} = \alpha_1 \bar{c}_1 (\pi d L_1) + \alpha_2 \bar{c}_2 (\pi d L_2)$$

+  $\alpha_{sf_2}$

$$= 0.6 \times 45 (\pi \times 0.3 \times 4) + 0.65 \times 65 (\pi \times 0.3 \times 8)$$

$$= 295.84 \text{ kN}$$

$$\textcircled{1} \Rightarrow \eta_s = \frac{Q_{up}}{\eta Q_{up}} = \frac{55.44}{9(392.84)} = 1.55$$

$$\begin{aligned} \textcircled{1}_{nd} &= \left[ \begin{array}{l} \text{group } \bar{c}(4BL_1) + \text{wt of soil in negative zone} \\ 4S(4x2) \times 4 + (2.1)^2 \times 4 \times 1 = 17.94.2 \text{ kN} \\ \text{individual } = n [\sqrt{c_1} (\pi d L_1)] \\ = 9(0.6 \times 4.5 (\pi \times 0.3 \times 4)) = 91.6.08 \text{ kN} \end{array} \right]_{\max} \end{aligned}$$

## Chapter 6

Ques - 6

$$w = \frac{23.20 \times 100}{20} = 15.6 = 0.15$$

$$\gamma_d = \frac{\gamma_b}{1+w} = \frac{1.9 \times 1.03}{1+0.15} \quad \begin{cases} \gamma_b = \frac{W}{V} = \frac{15}{544} \\ \gamma_s = 0.015 \end{cases}$$

$$\gamma_d = \frac{1.9}{544} = \frac{0.01588}{1+w}$$

$$\gamma_d = 0.01588$$

$$\gamma_d = 18.05 \text{ kN/m}^3$$

$$w = \frac{se}{a}$$

$$\gamma_d = \left( \frac{G_w w}{1+e} \right)$$

$$(e = 0.10, k)$$

$$\gamma_d = \frac{2.7 \times 9.81}{1.40}$$

(16)

$$e = 0.5$$

$$e_{min} = 0.75$$

$$e_{max} = 0.75$$

$$I_p = \frac{e - e_{min}}{e_{max} - e_{min}} = \frac{0.5 - 0.35}{0.75 - 0.35} = 62.5\%$$

$$\begin{aligned} R.C &= \frac{1 + e_{max}}{1 + e} \times 100 \\ &= \frac{1 + 0.35}{1 + 0.5} \times 100 = 90\% \end{aligned}$$