

## Properties of Triangles

### Exercise 1:

### Solution 1:

In  $\triangle ABC$ ,

1. Segment CD is the altitude on side AB.
2. Segment AF is the altitude on side BC.
3. Segment BE is the altitude on side AC.

### Solution 2:

1. In  $\triangle KLP$ , seg KN is an altitude.
2. In  $\triangle KLP$ , seg KM is a median.

### Solution 3:

1. Point D is the midpoint of seg VW.
2.  $l(VW) = 2 \times l(VD) = 2 \times 5 = 10$  cm

### Solution 4:

Yes, segment PD can be the altitude as well as the median of  $\triangle PQR$ .

#### Reason:

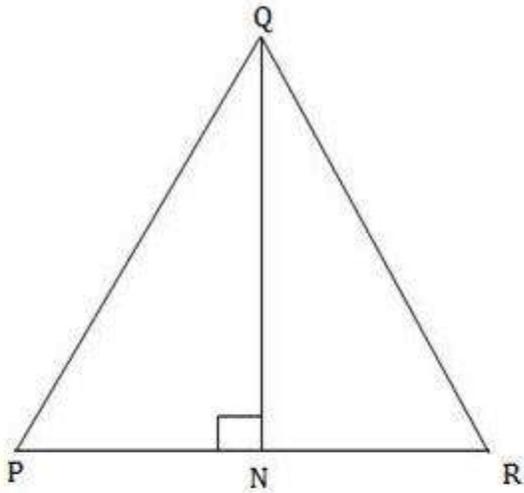
Given, segment PD is the perpendicular drawn from vertex P to the opposite side QR.

D is the midpoint of segment QR. So, PD is the median of  $\triangle PQR$ .

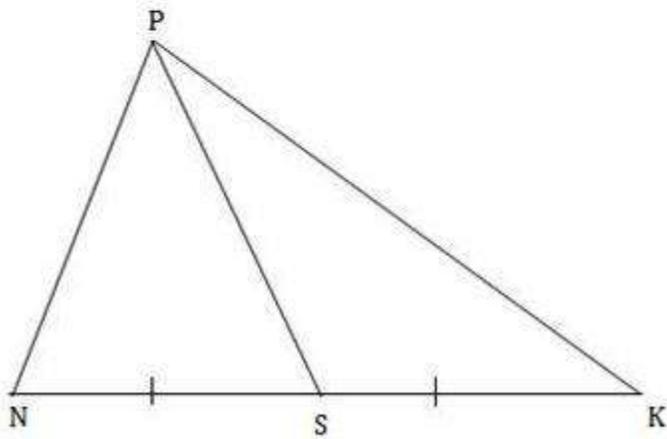
$\therefore$  Segment PD is the median as well as the altitude of  $\triangle PQR$ .

**Solution 5:**

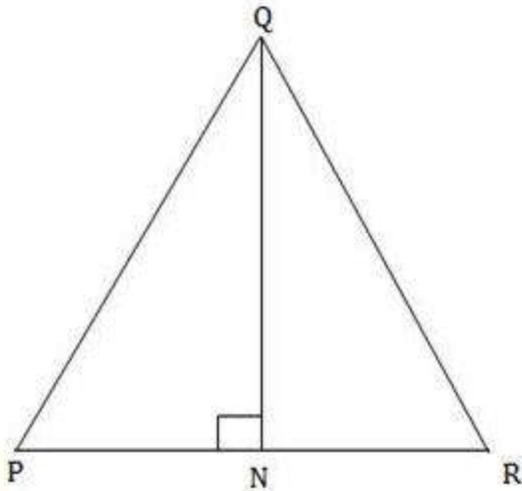
1. In  $\triangle PQR$ , seg  $QN$  is an altitude.



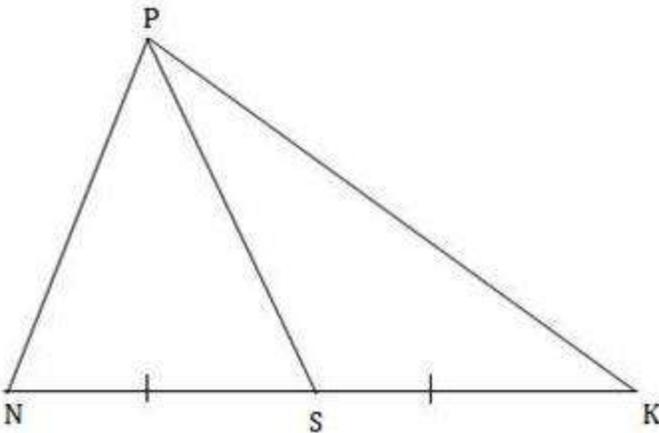
2. In  $\triangle NPK$ , seg  $PS$  is a median.



1. In  $\triangle PQR$ , seg  $QN$  is an altitude.



2. In  $\triangle NPK$ , seg  $PS$  is a median.

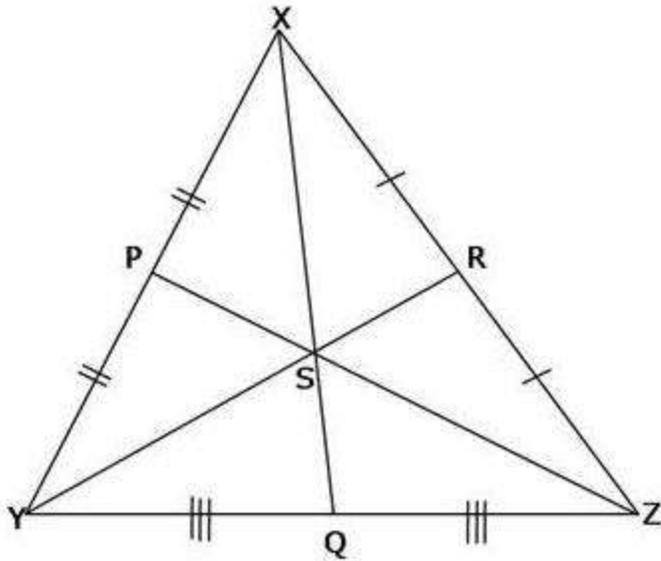


### Solution 6:

The median is the line segment joining the vertex of a triangle and the midpoint of its opposite side.

Steps of construction:

1. Draw any  $\triangle XYZ$ .
2. Construct the bisector of each side of the triangle to find the midpoints of each of the sides of  $\triangle XYZ$ .
3. Hence, P, Q and R are the midpoints of the sides XY, YZ and ZX of  $\triangle XYZ$  respectively.
4. Join the vertex X to the midpoint Q of its opposite side YZ.
5. Similarly, join R and Y, P and Z.



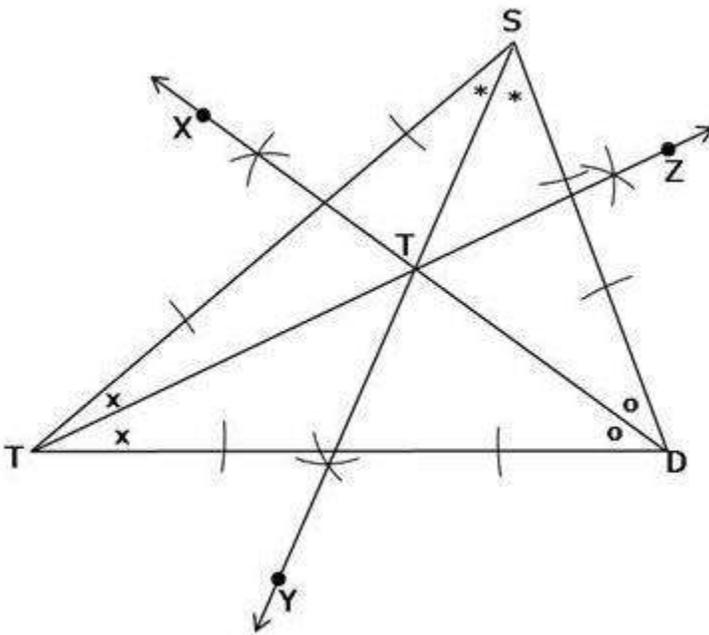
Thus, seg XQ, seg YR and seg ZP are the three medians of  $\Delta XYZ$ .

**Solution 7:**

The angle bisectors divide the given angle into two equal angles.

Steps of construction:

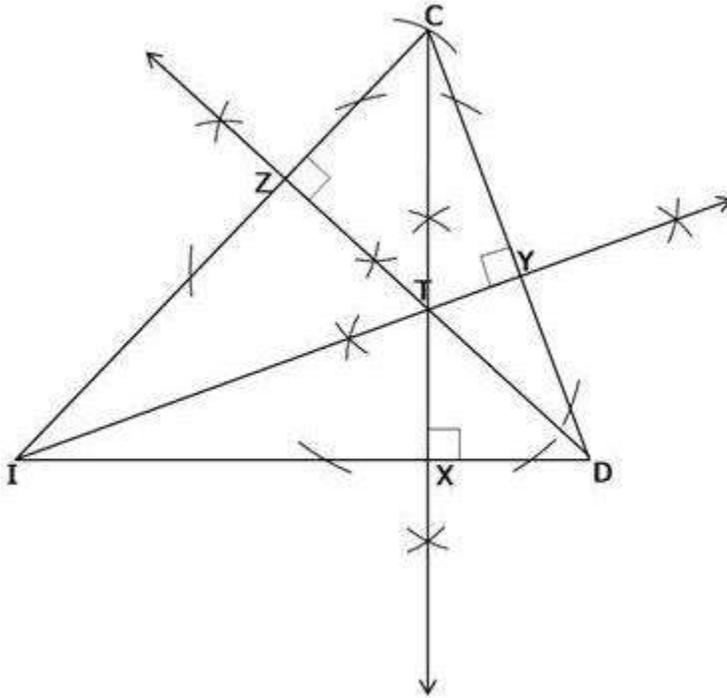
1. Draw any  $\Delta STD$ .
2. Construct the angle bisectors of each of the angles of  $\Delta STD$ .



Hence, SY, DX and TZ are the three angle bisectors of  $\Delta STD$ .

**Solution 8:**

1. Draw any  $\triangle CID$ .
2. Construct the perpendicular bisectors of each of the sides of  $\triangle CID$ .

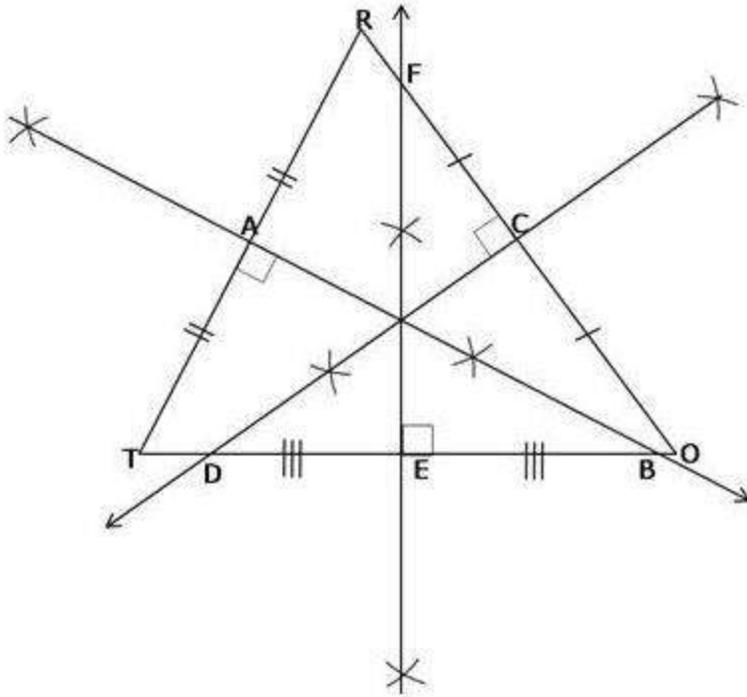


Thus, seg DZ, seg CX and seg IY are the three perpendicular bisectors of  $\triangle CID$ .

**Solution 9:**

**Steps of construction:**

1. Draw any  $\triangle RTO$ .
2. Construct the perpendicular bisectors of each of the sides of the triangle to find the midpoint of each of the sides of  $\triangle RTO$ .
3. Hence, A, C and E are the midpoints of the sides TR, RO and OT of  $\triangle RTO$ .
4. Construct the perpendicular bisectors from the midpoints of the three sides of  $\triangle RTO$ .



Hence, AB, FE and CD are the three perpendicular bisectors of  $\Delta RTO$ .