Type 5: Root-Locus Technique

For Concept, refer to Control Systems K-Notes, Root Locus Technique

Common Mistake:

For positive feedback the properties of root-locus are reversed. Refer GATE-2014 EE-01 Solutions Ques-18

Sample Problem 5:

A closed-loop system has the characteristic function $(s^2 - 4) (s + 1) + K(s - 1)=0$. Its root locus plot against K is



Solution: (C) is correct option

Closed loop transfer function of the given system is,

$$T(s) = \frac{s^{2} + 4}{(s+1)(s+4)}$$
$$T(j\omega) = \frac{j\omega^{2} + 4}{(j\omega+1)(j\omega+4)}$$

If system output is zero

$$|T(j\omega)| = \frac{|4 - \omega^2|}{|(j\omega + 1)(j\omega + 4)|} = 0$$
$$4 - \omega^2 = 0$$
$$\omega^2 = 4$$
$$\omega = 2 \text{ rad / sec}$$

Unsolved Problems:





Q.3 The root locus plot for a system, with transfer function $\frac{2}{s(s+1)(s+2)}$, is shown in Figure.

A unity feedback proportional control system is built using this system. The maximum possible controller gain, for which the unity feedback system is stable, is approximately



Q.4 A unity feedback system is shown in Fig. below. The root-locus of its characteristic equation is shown in Fig. below



If P (-5, 0) is a point on the root-locus, the variable parameter K of the system at P is?



Q.5 Figure shows the root locus plot (location of poles not given) of a third order system whose open loop transfer function is



Q.6 RLD of the system with loop TF $\frac{K(1-s)}{s(s+2)}$, when K is varied from 0 to ∞ is





(D) None of these

