

Ideal Cycle of IC Engine

The following operations are common for all the ideal cycle of I.C. engine

- ① Reversible and adiabatic expansion.
- ② Heat rejection at Constant Volume.
- ③ Reversible and adiabatic compression.

* HP only const Vol.
or isochoric

* HA const V & P
or isobaric

It is thus clear it is only the heat addition will be different for the different cycle.

→ when HA takes place at constant volume, the cycle is known as constant volume cycle or otto cycle.

→ When HA takes place at constant pressure, the cycle is known as constant pressure cycle or diesel cycle.

→ In another cycle when the HA takes place 1st at const. volume and then at const. pressure, the cycle is known as the dual combustion cycle or semi diesel cycle.

Working of a Constant Volume or Otto Cycle:-

① The adiabatic Compression process 1-2

$$V \downarrow, P \uparrow, T \uparrow, S \text{ is Constant } (S=C)$$

② The Constant Volume Heat addition process 2-3

$$V=C, P \uparrow, T \uparrow, S \uparrow \quad \left\{ \begin{array}{l} ds = \frac{dQ}{T} \\ (S_3 - S_2) > 0 \end{array} \right.$$

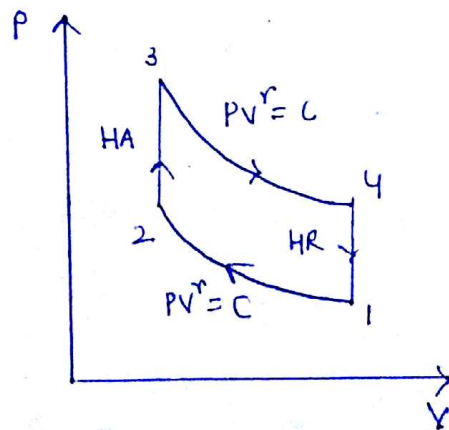
③ The adiabatic expansion process 3-4

$$V \uparrow, P \downarrow, T \downarrow, S=C \quad \left\{ \begin{array}{l} dQ=0 \\ ds=\text{Constant} \end{array} \right.$$

④ The constant volume Heat Rejection process 4-1

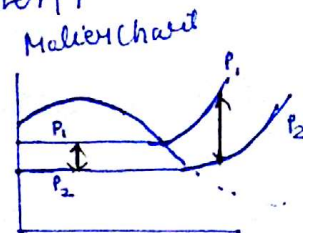
$$V=C, P \downarrow, T \downarrow, S \text{ dec}(\downarrow)$$

p-v diagram



* 1-2 & 3-4 slopes are different

Proof

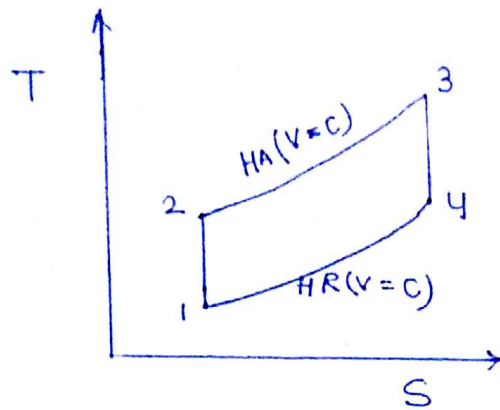


Steam table

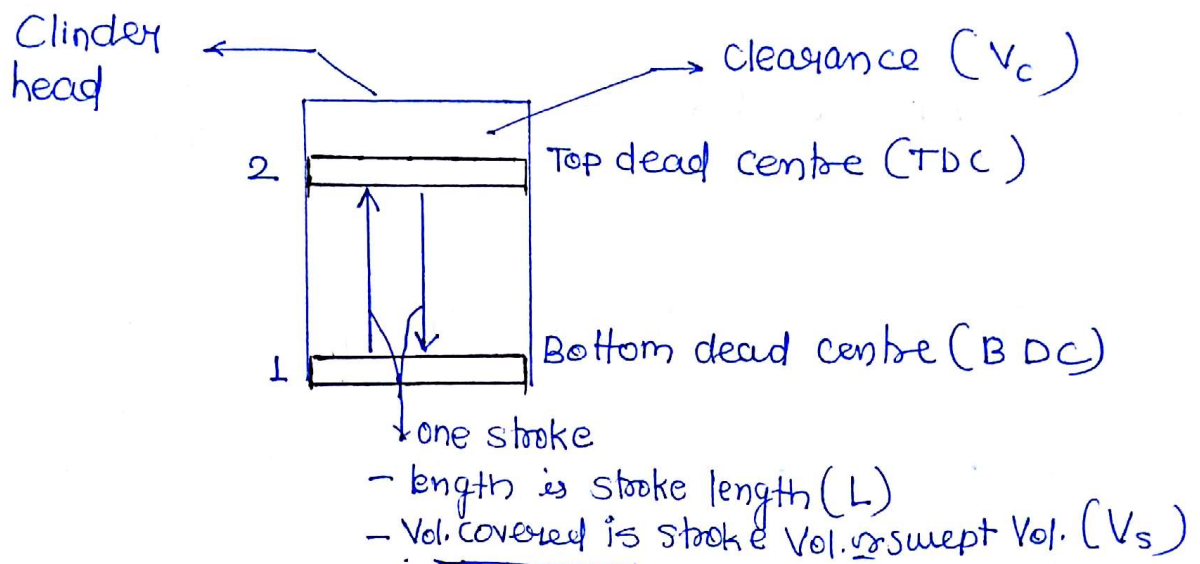
P	V	
2 { 12	0.073	} 0.022
10	0.095	
2 { 3	0.96	} 0.77
1	1.73	

at same P diff move V diff.

T-S diagram



General information about IC Engine



Clearance: - it is the space between the TDC and cylinder head. The volume occupied by the clearance space is ~~etc~~ called Clearance Volume (V_c)

⇒ For any process

$$\text{Volume Ratio} = \frac{\text{large Volume}}{\text{less Volume}}$$

⇒ The volume ratio during expansion process called expansion ratio. This ratio is diff. for different cycle.

⇒ The volume ratio during Compression is called Compression ratio.

The expression for Compression ratio is same for all the cycle and is Given by

$$r = \frac{V_1}{V_2}$$

$$V_1 = V_c + V_s$$

$$V_2 = V_c$$

$$\therefore r = \frac{V_c + V_s}{V_c} \quad \text{or} \quad r = 1 + \frac{V_s}{V_c} \quad \text{or} \quad \frac{V_s}{V_c} = (r - 1)$$

Efficiency $\eta_v = \frac{WD}{HA} = \frac{HA - HR}{HA} = 1 - \frac{HR}{HA}$

For Otto cycle

$$HA = m C_v (T_3 - T_2)$$

$$\begin{aligned} HR &= -dq = -m C_v (T_1 - T_4) \\ &= m C_v (T_4 - T_1) \end{aligned}$$

बाह्र वाले temp
को पहले रखना है
हमेशा

$$\eta_v = 1 - \frac{m C_v (T_4 - T_1)}{m C_v (T_3 - T_2)} \quad - (a)$$

$$\text{or} \quad \eta_v = 1 - \frac{T_4 - T_1}{T_3 - T_2}$$

from P-v diagram

$$\frac{T_1}{T_2} = \left(\frac{V_2}{V_1} \right)^{\gamma-1} = \left(\frac{1}{r} \right)^{\gamma-1}$$

$$\frac{T_3}{T_4} = \left(\frac{V_3}{V_4} \right)^{\gamma-1} = \left(\frac{V_2}{V_1} \right)^{\gamma-1} = \left(\frac{1}{r} \right)^{\gamma-1}$$

So
$$\frac{T_1}{T_2} = \frac{T_4}{T_3} = \left(\frac{1}{r} \right)^{\gamma-1}$$

This is also equal to

(from algebra)
$$\frac{T_4 - T_1}{T_3 - T_2} = \left(\frac{1}{r} \right)^{\gamma-1}$$

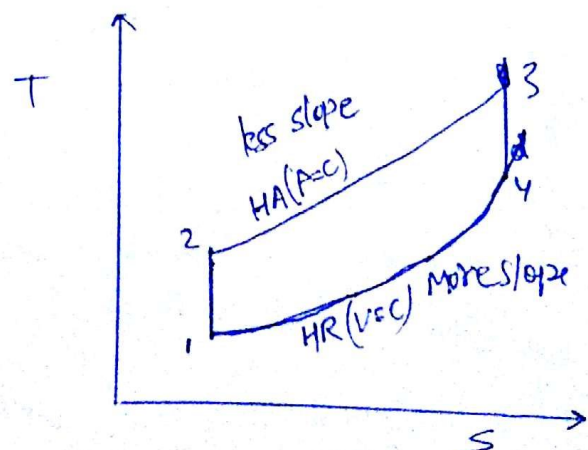
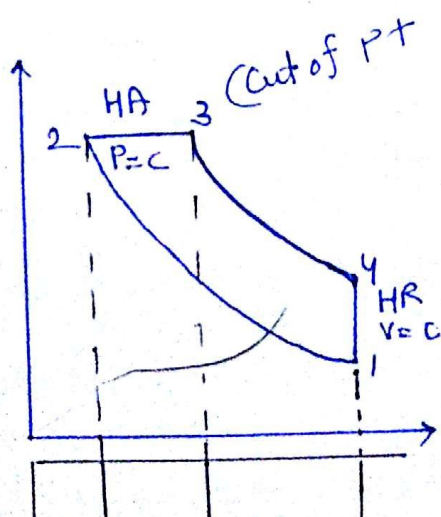
So Efficiency of Otto cycle

$$\eta_v = 1 - \left(\frac{1}{r} \right)^{\gamma-1}$$

$\left\{ \begin{array}{l} r - \text{dependant on} \\ \text{substance} \\ (\text{Gas}) \end{array} \right\}$

20/Aug/2016

The Diesel Cycle or the Constant Pressure Cycle.



let $\alpha = \frac{V_1}{V_2}$, the Comp. Ratio

$\beta = \frac{V_3}{V_2}$, the cutoff Ratio

$$\text{exp. ratio} = \frac{V_4}{V_3} = \frac{V_1}{V_2} \times \frac{V_2}{V_3} = \frac{\alpha}{\beta}$$

1-2

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2} \right)^{\gamma-1} \Rightarrow \therefore T_2 = T_1 \alpha^{\gamma-1} \quad - (1)$$

2-3

$$\beta = \frac{V_3}{V_2} = \frac{T_3}{T_2} \Rightarrow \therefore T_3 = T_2 \beta$$

$$T_3 = T_1 \alpha^{\gamma-1} \beta \quad - (2)$$

3-4

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4} \right)^{\gamma-1}$$

$$\therefore T_4 = T_3 \left(\frac{\beta}{\alpha \beta} \right)^{\gamma-1} \therefore T_4 = T_1 \alpha^{\gamma-1} \beta \left(\frac{\beta}{\alpha \beta} \right)^{\gamma-1}$$

$$T_4 = T_1 \beta^{\gamma} \quad - (3)$$

$$\eta_p = 1 - \frac{H_R}{H_A}$$

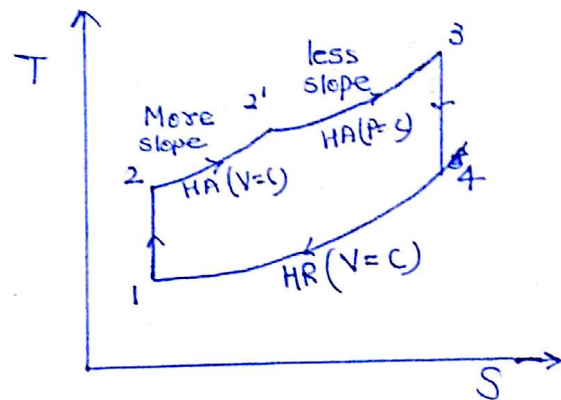
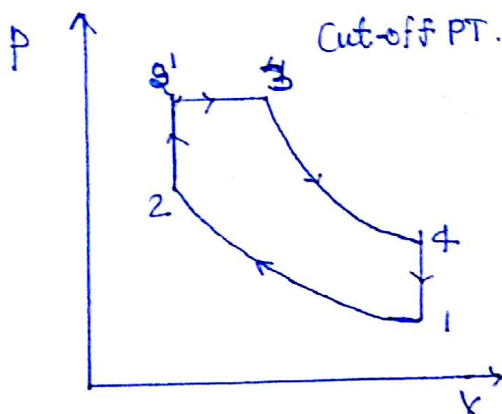
$$\eta_p = 1 - \frac{m C_v (T_4 - T_1)}{m C_p (T_3 - T_2)}$$

$$\eta_p = 1 - \frac{1}{\gamma} \frac{T_1 \beta^{\gamma} - T_1}{T_1 \alpha^{\gamma-1} \beta - T_1 \alpha^{\gamma-1}}$$

$$\eta_p = 1 - \left(\frac{1}{\alpha} \right)^{\gamma-1} \frac{e^{\gamma}-1}{\gamma(e-1)}$$

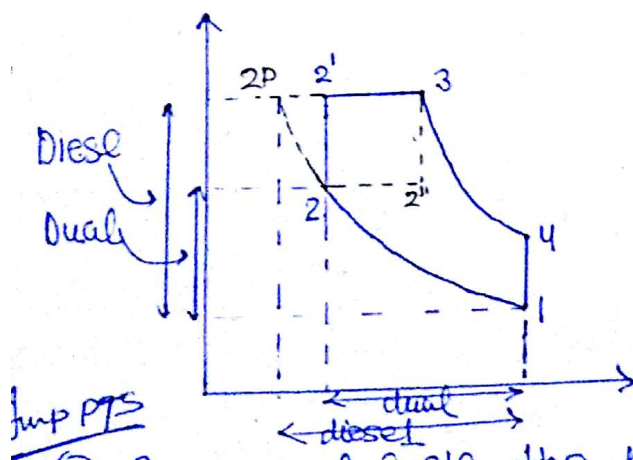
$$\eta_p = 1 - \left(\frac{1}{\alpha} \right)^{\gamma-1} \frac{\beta^{\gamma}-1}{\gamma(\beta-1)}$$

Dual Combustion Cycle or Semi-Diesel Cycle : -



* diesel cycle में stroke length ज्यादा होगी तो sound ज्यादा आयेगा space भी ज्यादा लेता

* efficiency diesel cycle की ज्यादा होती है for same peak P.



① For a dual cycle, the heat addition takes place first at constant volume and then at constant pressure.

② If the heat addition takes place first at const. P and then at const. V, the efficiency of

cycle is reduce. Beside, the piston has to stop in middle of it's motion for constant Vol. heat addition which is not possible in practice.

③ If heat addition for constant Volume ~~pressure~~ is process is more than, higher pressure can be increase in that case the cylinder may explode. If the lower pressure is decrease, the compression ratio will be lessey for the cycle the efficiency of cycle will be much reduced, Thus ~~there~~ for safe condⁿ and higher efficiency of cycle, the HA during constant volume process will much less.

④ For a higher efficiency of the cycle, the ~~HA~~ heat added at Const. pressure is 2-3 times more than the head added at Const. Volume.

⑤ The ratio of pressure during the Const. Volume HA process is know as the explosion ratio. (in the fig. the explosion ratio is $\alpha = \frac{P_2'}{P_2}$)

⑥ The efficiency of the diesel cycle is higher than that of the dual cycle. Due to it's higher compression ratio.

⑦ For the diesel cycle, $\gamma = 16 \text{ to } 20$

For the dual cycle, $\gamma = 12 \text{ to } 16$.

For the otto cycle $\gamma = 6 \text{ to } 12$

- ⑧ Due to lesser comp. ratio, the dual cycle engine is more compact in size and can be thus use for smaller vehicles also.
- ⑨ The sound population for a diesel cycle engine is much higher than that of the dual cycle engine.
- ⑩ Due compact size of dual cycle engine, the maintainance is easier for this engine, than that of the diesel cycle engine. Besides the maintenance cost of dual cycle engine is also much less.

Efficiency of Dual Cycle:-

let $\frac{P_2'}{P_2} = \alpha$, the expansion Ratio

& $\gamma = \frac{V_4}{V_3}$ Compression ratio

Also. $\frac{V_3}{V_2'} = \frac{V_3}{V_2} = \beta$ Cut-off ratio

The expansion ratio is $\frac{V_4}{V_3} = \frac{V_1}{V_3} = \frac{V_1}{V_2} \times \frac{V_2}{V_3} = \frac{\gamma}{\beta}$

1-2

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2} \right)^{\gamma-1} = (\mathcal{A})^{\gamma-1} \therefore T_2 = T_1 \mathcal{A}^{\gamma-1} \quad \text{--- (1)}$$

2-2'

$$\underline{V=C} \quad \frac{T_2'}{T_2} = \frac{P_2'}{P_2} = \alpha \therefore T_2' = T_2 \alpha = T_1 \mathcal{A}^{\gamma-1} \alpha \quad \text{--- (2)}$$

2'-3

$$\underline{P=C} \quad \frac{T_3}{T_2'} = \frac{V_3}{V_2'} = \frac{V_3}{V_2} = \beta \Rightarrow T_3 = T_2' \beta$$

$$T_3 = T_1 \mathcal{A}^{\gamma-1} \beta \alpha \quad \text{--- (3)}$$

3-4

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4} \right)^{\gamma-1} \therefore T_4 = T_3 \mathcal{A}^{\gamma-1} \alpha \beta \left(\frac{\beta}{\mathcal{A}} \right)^{\gamma-1}$$

$$\therefore T_4 = T_1 \alpha \beta^{\gamma}$$

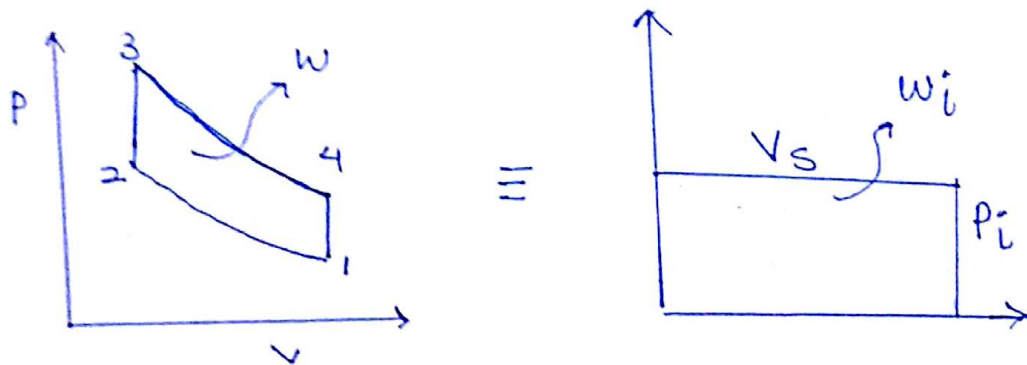
$$\eta_s = 1 - \frac{HR}{HA} = 1 - \frac{m C_v (T_4 - T_1)}{m C_v (T_2' - T_2) + m C_p (T_3 - T_2')}$$

$$\eta_s = 1 - \frac{(T_1 \alpha \beta^{\gamma} - T_1)}{(T_1 \mathcal{A}^{\gamma-1} \alpha - T_1 \mathcal{A}^{\gamma-1}) + \gamma (T_1 \mathcal{A}^{\gamma-1} \beta \alpha - T_1 \mathcal{A}^{\gamma-1} \alpha)}$$

$$\eta_s = 1 - \left(\frac{1}{\mathcal{A}} \right)^{\gamma-1} \frac{\alpha \beta^{\gamma} - 1}{\gamma (\beta - 1) + (\alpha - 1)}$$

Mean Effective Pressure: (P_m or mep)

When we consider an imaginary pressure which when remaining constant will give us same work done for the same change in volume like that of the actual cycle, then the ~~img~~ imaginary constant pressure is known as mean effective pressure of cycle.



$$w_i = P_i \times V_s = A \Rightarrow \text{when } w_i = w$$

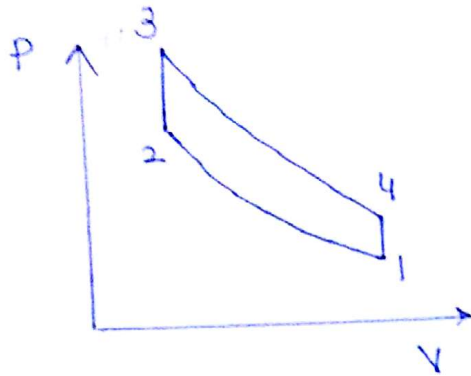
$$P_i = P_m$$

$$w = P_m \times V_s$$

* The work done for the cycle by taking mean effecting on account is given by

$$\boxed{W = P_m \times V_s}$$

Question For the diagram shown, show that the M_{ep} is given by $P_m = \frac{\eta_v}{(\gamma-1)(\beta-1)} \times \Delta P$; where $\Delta P = P_3 - P_2$



show

$$P_m = \frac{\eta_v}{(\gamma-1)(\beta-1)} \times \Delta P$$

Solⁿ

$$W = P_m \times V_s$$

$$\eta_v = \frac{WD}{HA}$$

or

$$\eta_v = \frac{P_m \times V_s}{m C_v (T_3 - T_2)}$$

$$\eta_v = \frac{P_m \times V_s}{C_v \left[\frac{P_3 V_3 - P_2 V_2}{C_p - C_v} \right]}$$

$$\therefore PV = mRT$$

$$R = C_p - C_v$$

$$\eta_v = \frac{P_m \times V_s}{(P_3 - P_2) V_c} \frac{(C_p - C_v)}{C_v}$$

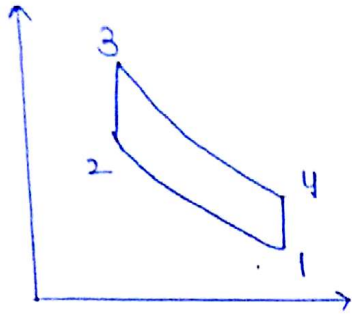
$$\therefore V_c = V_2 = V_3$$

$$\eta_v = \frac{P_m \times (\beta - 1) (\gamma - 1)}{\Delta P}$$

$$\therefore \frac{C_p - C_v}{C_v} = \frac{C_p}{C_v} - 1 = \gamma - 1$$

$$\therefore P_m = \frac{\eta_v}{(\beta - 1)(\gamma - 1)} \times \Delta P$$

Question:- For the diagram shown, show that $T_2 = T_4 = \sqrt{T_1 T_3}$ when work done is maximum.



show $T_2 = T_4 = \sqrt{T_1 T_3}$

Solⁿ

$$WD = HA - HR$$

$$WD = [m C_v (T_3 - T_2) - \{-m C_v (T_1 - T_4)\}]$$

$$W = m C_v (T_3 - T_2) - m C_v (T_4 - T_1)$$

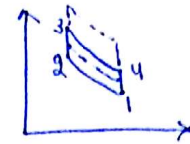
$$\eta_w = \frac{WD}{HA}$$

if $HA \uparrow$ more than $WD \uparrow$

if $HA \downarrow$ ~~more~~ less than $WD \downarrow$

* Compression Ratio is same

For both exp. & comp so we can convert it in single variable



* we can't solve this problem for Diesel Cycle because comp. not equal.

So

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2}\right)^{\gamma-1} = \gamma^{\gamma-1}$$

$$\frac{T_4}{T_3} = \left(\frac{V_3}{V_4}\right)^{\gamma-1} = \left(\frac{V_2}{V_1}\right)^{\gamma-1} = \left(\frac{1}{\gamma}\right)^{\gamma-1} = \gamma^{-\gamma+1}$$

So

$$WD = m C_v \left[(T_3 - T_1 \gamma^{\gamma-1}) - (T_3 \gamma^{-\gamma+1} - T_1) \right]$$

For max WD, $\frac{d(WD)}{d(\gamma)} = 0$

$$\therefore -T_1(r-1)\gamma^{(r-1)-1} - T_3(-\gamma+1)\gamma^{(-\gamma+1)-1} = 0$$

$$-T_1(r-1)\gamma^{r-2} = -T_3(r-1)\gamma^{-r}$$

$$\gamma^{(r-1)2} = \frac{T_3}{T_1} \quad \text{--- (9)}$$

$$\left\{ \frac{T_2}{T_1} = \frac{T_3}{T_4} \right\} \quad \therefore \left(\frac{T_2}{T_1} \right)^2 = \frac{T_3}{T_1} \Rightarrow T_2 = \sqrt{T_1 T_3}$$

$$\& \left(\frac{T_3}{T_4} \right)^2 = \frac{T_3}{T_1} \Rightarrow T_4 = \sqrt{T_1 T_3}$$

$$\boxed{T_2 = T_4 = \sqrt{T_1 T_3}}$$

Question

When the work done of diesel cycle increase

its efficiency will ☐ (a) increase ☒ (b) Decrease ☐ (c) Remain same ☐ (d) Anything is possible

Solⁿ whenever question asked about efficiency start from eff. eqⁿ

$$\eta_p = 1 - \left(\frac{1}{\gamma} \right)^{r-1} \frac{\beta^r - 1}{r(\beta - 1)}$$

HA, WD से
ज्यादा बढ़ेगा

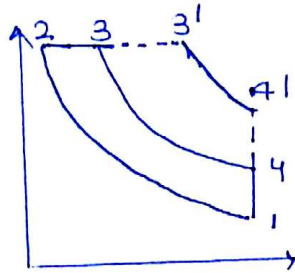
$$\therefore \frac{WD}{HA} = \eta_p = \frac{\left\{ \gamma^{r-1} \times r(\beta - 1) - (\beta^r - 1) \right\}}{\left\{ \gamma^{r-1} \times r(\beta - 1) \right\}}$$

Since the work done (Numerator) is increase, than heat added will increase even more as there is no -ve term in ~~denominator~~ (denominator), hence efficiency will decrease.

Question The compressor ratio of a diesel cycle is 16. Determine the % change in efficiency of cycle when the cut off change to 5% to 15% of stroke.

solⁿ

$$\alpha = 16$$



$$\alpha = 16 \Rightarrow \frac{V_1}{V_2} = 16$$

$$\text{cut off } (V_3 - V_2) \geq V_2 = V_c$$

$$\frac{V_c + V_s}{V_c} = 16$$

$$V_s = 15 V_c$$

when the cut off takes place 5% of stroke

$$\frac{5}{100} V_s = V_3 - V_2$$

$$V_3 = 0.05 (15 V_c) + V_c$$

$$V_3 = 1.75 V_c$$

$$\beta_1 = \frac{V_3}{V_2} = \frac{1.75 V_c}{V_c} = 1.75$$

when the cut off takes place @ 15% of stroke

$$V_3' - V_2 = 0.15 V_s = 0.15 (15 V_c)$$

$$V_3' = 3.25 V_c$$

$$\beta_2 = \frac{V_3'}{V_2} = \frac{3.25 V_c}{V_c} = 3.25$$

$$\eta = 1 - \left(\frac{1}{r} \right)^{\gamma-1} \frac{r^{\gamma} - 1}{\gamma(\gamma - 1)}$$

$$\eta_1 = 1 - \left(\frac{1}{16} \right)^{1.4-1} \frac{(1.75)^{1.4} - 1}{1.4(1.75-1)} = 0.626$$

$$\eta_2 = 1 - \left(\frac{1}{16} \right)^{1.4-1} \frac{(3.25)^{1.4} - 1}{1.4(3.25-1)} = 0.559$$

$$\% \text{ change in } \eta = \frac{0.626 - 0.559}{0.626} \times 100$$

$$\% \text{ change } \eta = 10.7 \%$$

Question The Compression ~~of~~ ratio of an Otto cycle is 7. The initial value of the Ratio of specific heat is 1.4. Find % change in the efficiency of cycle when the specific heat ~~and~~ at constant Volume is increased by 1%.

Solⁿ

$$r = 7$$

$$\gamma_1 = \frac{C_{p1}}{C_{v1}} = 1.4$$

$$\therefore C_{p1} = 1.4 C_{v1}$$

% Change in η when

$$C_{v2} = 1.01 C_{v1}$$

$$\text{So } \gamma_2 = \frac{C_{p2}}{C_{v2}} = \frac{C_{p1}}{1.01 C_{v1}} = \frac{1.4}{1.01}$$

$$\eta_2 =$$

Since gas constant R remain constant

$$C_{p1} - C_{v1} = R = C_{p2} - C_{v2}$$

$$C_{p2} = (1.4 C_{v1} - C_{v1}) + 1.01 C_{v2} \Rightarrow C_{p2} = 1.41 C_{v1}$$

$$\gamma_2 = \frac{C_{p2}}{C_{v1}} = \frac{1.41 C_{v1}}{1.01 C_{v1}} = 1.39$$

$$\eta_1 = 1 - \left(\frac{1}{9}\right)^{\gamma-1} = 1 - \left(\frac{1}{9}\right)^{1.4-1} = 0.5407$$

$$\eta_2 = 1 - \left(\frac{1}{9}\right)^{1.39-1} = 0.537$$

$$\% \text{ change in } \eta = \frac{\eta_1 - \eta_2}{\eta_1} \times 100 = \frac{0.5407 - 0.537}{0.537} \times 100$$

$$\% \text{ change in } \eta =$$

Imp

* For any cycle if specific heat increase, γ decreases so efficiency also decrease

* if $C_p, C_v \uparrow, \gamma \downarrow, \eta \downarrow$

* if $C_p, C_v \downarrow, \gamma \uparrow, \eta \uparrow$

* For any cycle if comp. ratio (γ) increase, efficiency of cycle will also increase.

Workbook

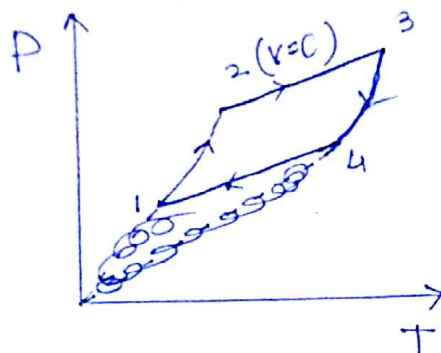
Q.1

$$(P)^{\frac{\gamma-1}{\gamma}} \propto T \quad \text{curved line}$$

$$HA \& HR \quad V = C$$

$$P \propto T$$

$$P = C \times T \Rightarrow y = mx$$



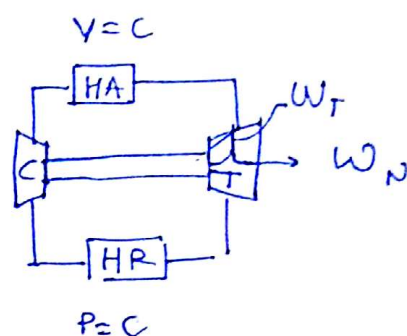
chose (B) correct

Q.2

$$(1) \eta = \frac{WD}{HA} \quad \checkmark$$

$$(2) \text{ Work Ratio} = \frac{W_{\text{Net}}}{W_{\text{Turbine}}} \quad \checkmark$$

$$(3) \frac{P_m}{P_{max}} = \frac{WD}{V_s \times P_{max}} \quad \checkmark$$



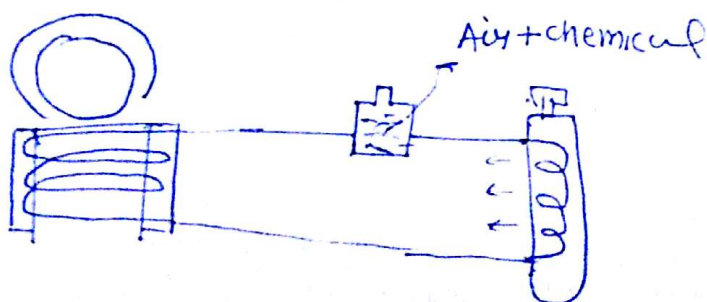
$$(4) \frac{\text{Size}}{\text{Power}} \Rightarrow \frac{\text{Power}}{\text{sin } \theta} = \text{Specific output} \quad \checkmark$$

$$\frac{WD}{\text{time} \times \text{size}}$$

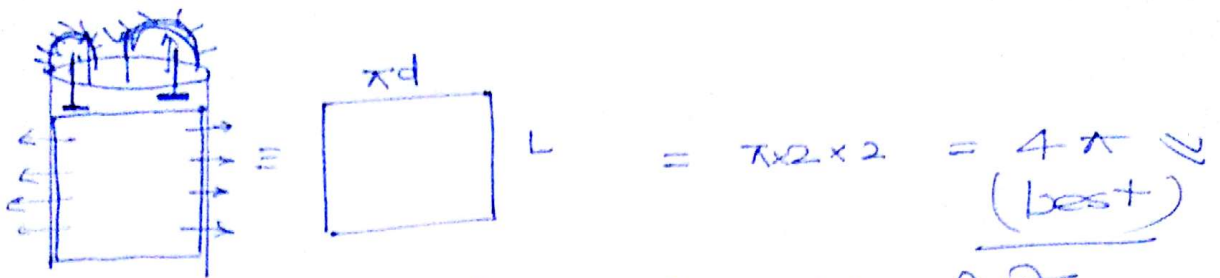
it can be mass or Volume.

D Ans

Cooling
System



Q.3



ऊपर व नीचे वाले part के Area को Heat loss के लिए
consider नहीं करते। बहुत कम हो जाती है (100 times)

if we consider all surface = 6π ✓

if we consider above surface = $4\pi + \pi = 5\pi$

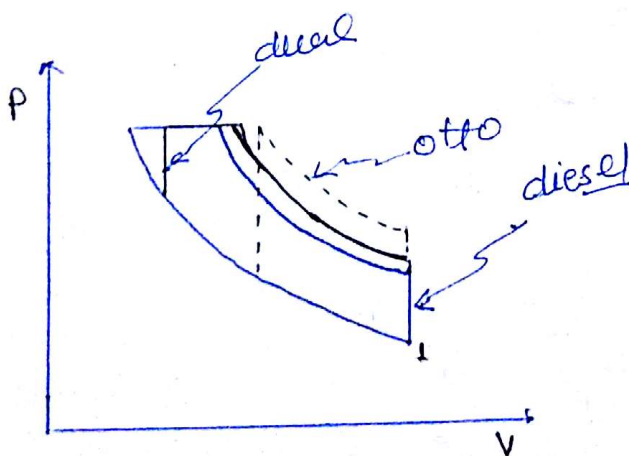
Q.4

max. pressure and work output same

$$\eta = \frac{WD}{HA} = \frac{WD}{HR + WD}$$

it is clear from the above equation that if the heat rejection is more the efficiency of cycle will be less.

The 3 cycle are shown in p-v diagram below

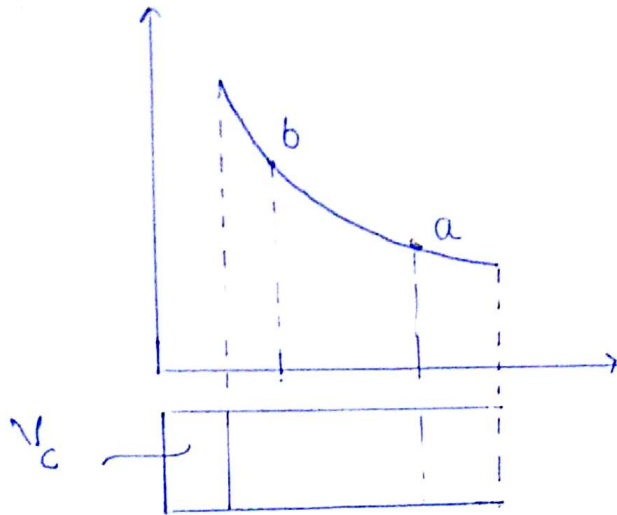


(Hint-start with diesel cycle diagram)

$$\eta_{\text{diesel}} > \eta_{\text{dual}} > \eta_{\text{otto}}$$

It should be noticed that for same workdone (Area in P-V dia) is the same for all the cycle (Given). Hence, if the area for one cycle on left side, then the area for other cycle should be more on the right side. It may be seen from dia that the HR is max. for Otto cycle and min. for Diesel cycle. ~~we have so~~

Q.5



$$p_a = 1.5 \text{ bar}$$

$$v_a = \frac{7}{8} v_s + v_c$$

$$p_b = 15 \text{ bar}$$

$$v_b = \frac{v_s}{8} + v_c$$

$$p_a v_a^{1.4} = p_b v_b^{1.4}$$

$$1.5 \left(v_c + \frac{7}{8} v_s \right)^{1.4} = 15 \left(v_c + \frac{v_s}{8} \right)^{1.4}$$

$$v_s = 18.4 v_c$$

$$\frac{v_s}{v_s} = 18.4 - 1 \Rightarrow 1 = 19.4 \quad \square$$

Q.6

$$\eta_1 = 16$$

$$\eta_2 = 20 \text{ (25% increase)}$$

$$r = 1.4$$

$$\beta = 4$$

$$\eta_p = 1 - \left(\frac{1}{\beta} \right)^{r-1} \frac{(\beta^r - 1)}{r(\beta - 1)}$$

$$(\eta_p)_1 = 1 - \left(\frac{1}{16} \right)^{1.4-1} \frac{(4^{1.4} - 1)}{1.4(4-1)} \quad ; \quad (\eta_p)_2 = 1 - \left(\frac{1}{20} \right)^{1.4-1} \frac{(4^{1.4} - 1)}{1.4(4-1)}$$

$$(\eta_p)_1 = 0.5315$$

$$(\eta_p)_2 = 0.5715$$

$$\% \text{ Change} = \frac{0.5715 - 0.5315}{0.5315} \times 100 = 7.5 \% \text{ increase}$$

Q8 (a) All engine have hydrocarbon.

1kg petrol release more heat than 1kg diesel

Q12 η is same, HR is same

$$\eta = \frac{WD}{HA}$$

$$\eta = \frac{WD}{HR + WD}$$

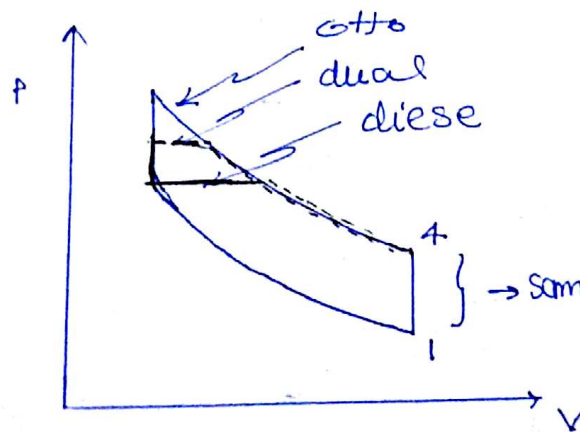
so efficiency ~~too~~ only depend on WD.

$$\eta = \frac{1}{\frac{HR}{WD} + 1}$$

$$WD \uparrow, \eta \uparrow$$

$$WD \downarrow, \eta \downarrow$$

It clear from above ~~equation~~ equation that if WD is more, then the efficiency of cycle higher. The three cycle are shown in diagram below.



Hint:- if Comp. ratio same start with Otto cycle.

} $\rightarrow$ same for all cycles

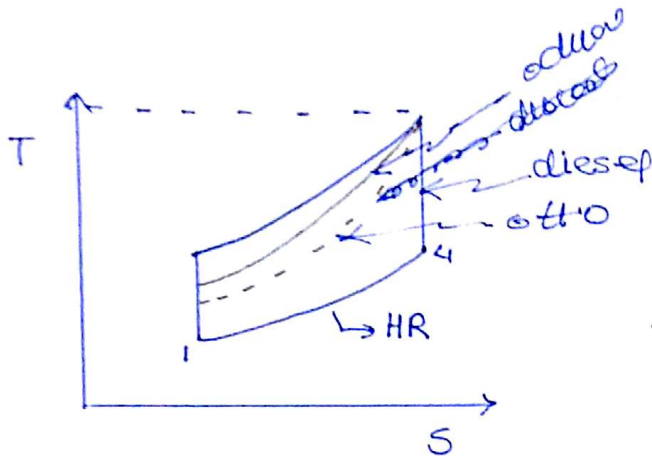
since ^{the} heat rejection is the same for all the cycle the initial condition of HR will also be same which is the same as the end of expansion this possible if the adiabatic expansion is shown along same for all the cycle. It may be seen from the diagram the area (work done) max. for Otto cycle & min for diesel cycle we thus have eff. of Otto cycle max & eff of diesel cycle min

$$\eta_{\text{otto}} > \eta_{\text{dual}} > \eta_{\text{diesel}}$$

- (14) when $w_D \uparrow$, load will $\uparrow$, thus we know that when load or $w_D \uparrow$, $\eta \downarrow$. The reason is that to $\uparrow$ load cutoff ratio $\uparrow$ & due to which H_A will $\uparrow$ even more so $\eta \downarrow$.

Q

(15)



Cyclic dQ = Cyclic dW

$$\eta = \frac{w_D}{H_A} = \frac{w_D}{H_R + w_D}$$

$$\eta = \frac{1}{\frac{H_R}{w_D} + 1}$$

$w_D \uparrow$, $\eta \uparrow$

$w_D \downarrow$, $\eta \downarrow$

The three cycle are shown in T-s diagram. From the equation for η , it can be understood that $\eta \uparrow$, w_D will be more.

We know that Cyclic dQ = Cyclic dW ($= \frac{\text{Area of cycle}}{\text{T-s diagram}}$)

it may be seen from diagram that the area for diesel cycle is max, and min for otto cycle. we thus have

$$\eta_{\text{diesel}} > \eta_{\text{dual}} > \eta_{\text{otto}}$$

(18)

$$d = 6.8 \text{ mm}$$

$$L = 2.910$$

$$L = 2 \times 375 \text{ cm}$$

$$L = 750 \text{ cm}$$

Find $\frac{V_s}{V_c}$ cycles

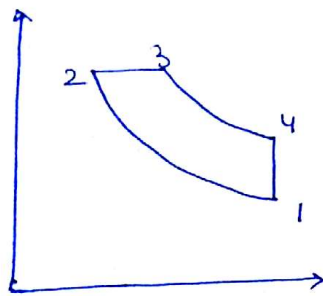
$$V_s = \frac{\pi}{4} d^2 L$$

$$n = 8$$

$$\frac{V_s}{V_c} = n - 1$$

$$V_c = \frac{V_s}{8-1} \quad \Rightarrow \quad V_c = \frac{V_s}{8}$$

(19)



$$\frac{V_1}{V_2} = 15$$

$$T_1 = 17^\circ \text{C} = 290 \text{ K}$$

$$T_4 = 417^\circ \text{C} = 690 \text{ K}$$

$$C_v = 0.717 \text{ kJ/kg-K}$$

$$\gamma = 1.4$$

$$C_p =$$

$$\eta = 1 - \frac{m C_v (T_4 - T_1)}{m C_p (T_3 - T_2)}$$

$$\eta = 1 - \frac{1 (T_4 - T_1)}{\gamma (T_3 - T_2)}$$

$$\frac{T_2}{T_1} = \left(\frac{V_1}{V_2} \right)^{\gamma - 1}$$

$$T_2 = 290 (15)^{0.4}$$

$$T_2 = 50.22^\circ \text{C}$$

$$\frac{T_3}{T_2} = \frac{V_3}{V_2} \quad T_4 = T_1 \gamma^{\gamma}$$

$$P_1 V_1^{\gamma} = P_2 V_2^{\gamma}$$

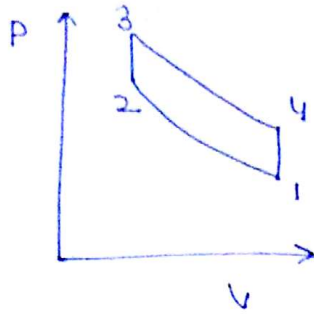
$$P_2 = P_1 \left(\frac{V_1}{V_2} \right)^{\gamma} = P_1 \times 15^{1.4} = P_3$$

$$P_4 V_4^{\gamma} = P_3 V_3^{\gamma}$$

$$\therefore P_4 = P_3 \left(\frac{V_3}{V_4} \right)^{\gamma} = P_3 \left(\frac{V_3}{V_2} \times \frac{V_2}{V_4} \right)^{\gamma} = P_3 \left(\frac{3}{4} \right)^{1.4} \times P_1 \times 15^{1.4} = (a)$$

$$\frac{P_4}{P_1} = \frac{T_4}{T_1} = \frac{690}{290} \quad \Rightarrow \quad P_4 = P_1 \times \frac{69}{29} \quad (b)$$

$$\Rightarrow \left(\frac{3}{4} \right)^{1.4} \times P_1 \times 15^{1.4} = P_1 \times \frac{69}{29} \quad \beta = ? \quad \frac{37.86}{1.8573}$$

T1

$$V_1 = 15$$

$$T_3 = 1400^\circ\text{C} = 1673\text{ K}$$

$$T_1 = 15^\circ\text{C} = 288\text{ K}$$

$$\frac{HA}{\text{kg air}} = 800\text{ kJ}$$

$$\eta = ? \quad \eta_v = ?$$

$$C_v(T_3 - T_2) = 800\text{ kJ}$$

$$\frac{P_3}{P_1} = ?$$

$$C_v = 0.72\text{ kJ/kg-K} \quad (\text{standard take it when not given})$$

$$\gamma = 1.4$$

$$T_2 = 1673 - \frac{800}{0.72} = 557.2\text{ K}$$

$$\eta = \frac{V_1}{V_2} = \left(\frac{T_2}{T_1}\right)^{\frac{1}{\gamma-1}} = \left(\frac{557.2}{288}\right)^{\frac{1}{1.4-1}} = \underline{5.07}$$

$$\eta_v = 1 - \left(\frac{1}{5.07}\right)^{1.4-1} = \underline{0.483}$$

$$\frac{P_3}{P_1} = \frac{P_3}{P_2} \times \frac{P_2}{P_1} = \frac{T_3}{T_2} \times \left(\frac{V_1}{V_2}\right)^\gamma$$

$$\frac{P_3}{P_1} = \frac{1673}{557.2} \times 15^{1.4} = \underline{30.2}$$