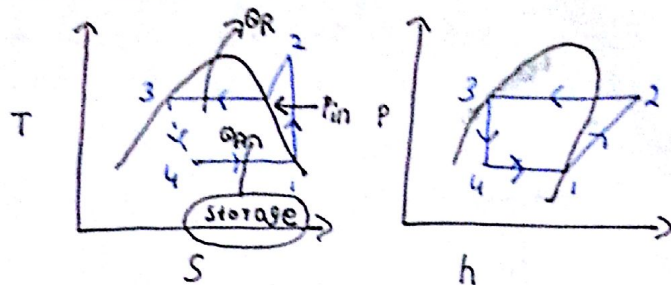
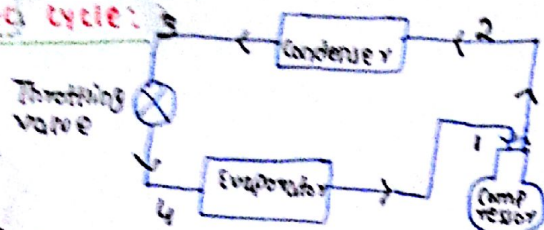


① V-C cycle:



* Apply SFEE to all devices \therefore all are open systems

* Condenser, Evaporator - only HE $\therefore W = 0$ + Throttling $h=c, Q=W=0$

* Compressor $Q=0$ (Rev. adiabatic) [could be $Q \neq 0$ and] \rightarrow Irreversible process

$$\text{COP} = \frac{h_1 - h_4}{h_2 - h_1} = \frac{h_1 - h_3}{h_2 - h_1}$$

* can't use $h = Cp \cdot T$ \therefore here pure substance not ideal gas

② Rec. compressor:

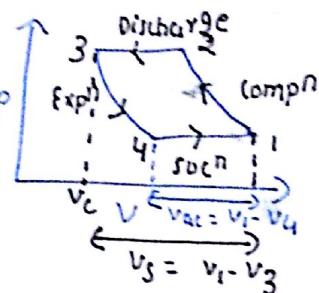
Clearance Ratio, $C = \frac{V_c}{V_s} = \frac{V_{\text{clearance}}}{V_{\text{swept}}} = \frac{V_3}{V_1 - V_3}$

Volumetric $\eta = \frac{V_{ac}}{V_s} = \frac{V_1 - V_4}{V_1 - V_3} = \frac{V_1 - V_4 + (V_3 - V_3)}{V_1 - V_3} = 1 - \frac{V_4 - V_3}{V_1 - V_3}$

$$\eta_v = 1 - C \left[\left(\frac{V_4}{V_3} \right) - 1 \right] = 1 - C \left[\left(\frac{P_2}{P_1} \right)^{1/n} - 1 \right]$$

$$\eta_v = 1 - C - C \left(\frac{P_2}{P_1} \right)^{1/n}$$

n = Expansion exponent.



* In Refrigeration:

\dot{m} = Ref. mass flow rate
 v_1 = Specific volume at compressor entry

$$\eta_v = \frac{\dot{m} \cdot v_1}{V_{\text{swept}}}$$

$$V_{\text{swept}} = \frac{\pi \cdot D^2 \cdot L \cdot K \cdot N}{4 \cdot 60}$$

N = rpm
 K = no. of cylinders
 $N \rightarrow N/2$ (4 stroke)
 $N \rightarrow N$ (2 stroke)

③ open system work:

$$W = -v \cdot dP$$

$$(W_{\text{open}})_{\text{adia}} = \frac{\gamma (P_1 v_1 - P_2 v_2)}{\gamma - 1}$$

$$(W_{\text{open}})_{\text{poly}} = \frac{n (P_1 v_1 - P_2 v_2)}{n - 1}$$

④ Effects on variation of properties:

1. Use in Evaporator pressure
2. Pre in Condenser "
3. Superheating in Evaporator
4. Undercooling in Condenser

RE	W_{in}	COP	η_v	η_R
\downarrow	\uparrow	\downarrow	\downarrow	\uparrow
\downarrow	\uparrow	\downarrow	\downarrow	\uparrow
\uparrow	\uparrow	\downarrow	\downarrow	\uparrow
\uparrow	\leftrightarrow	\uparrow	\leftrightarrow	\uparrow

$$W_{\text{in}} = \frac{\gamma}{\gamma - 1} (P_1 v_1 - P_2 v_2) = \frac{\gamma \cdot m R T_1}{\gamma - 1} \left(1 - \frac{T_2}{T_1} \right) = \frac{\gamma \cdot m R T_1}{\gamma - 1} \left[1 - \left(\frac{P_2}{P_1} \right)^{\frac{\gamma - 1}{\gamma}} \right]$$

$W_{\text{in}} \propto T_1$ (Inlet temp. at compressor) \therefore in ③ $W_{\text{in}} \uparrow$ Res.

* Use in Condenser pressure $\rightarrow W_{\text{in}} \downarrow, \text{RE} \uparrow, \text{COP} \uparrow, \eta_v \uparrow$

⑤ Ref. Designation:

① Saturated HC - $[C_m \cdot H_n \cdot F_p \cdot (L_q)] [R - (m-1)(n+1)(p)] [n+p+q = 2m+2]$

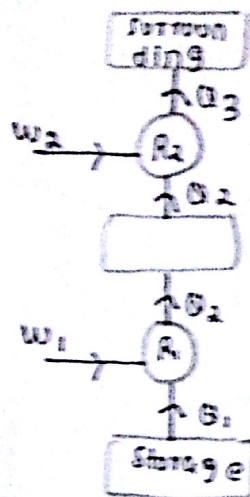
* R-12: R-012 C-1, L2, F2 * R-134 = C2, H2, F4

② unsaturated HC - $[C_m \cdot H_n \cdot F_p \cdot (L_q)] [R - 1(m-1)(n+1)(p)] [n+p+q = 2m]$ * R-1150: C2H4

③ Inorganic C - R-700 + mol. wt. * H2O = R-718

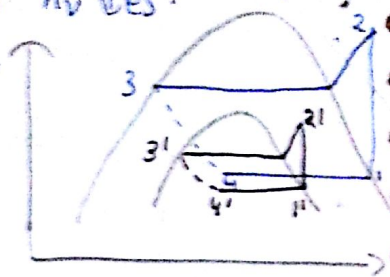
⑥ CASCADE Ref. System: * if very ↓ Temp. needed (-40°C) * if done w/o it then the evaporator pressure also ↓es and thus P_2/P_1 , P_{es} and η_v ↓es.

- Heat Rejected in condenser 2'-3' is absorbed by evaporator 4-1



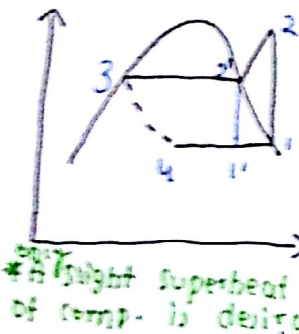
$$COP_1 = \frac{Q_1}{W_1} = \frac{Q_1}{Q_2 - Q_1} \quad COP_2 = \frac{Q_2}{W_2} = \frac{Q_2}{Q_3 - Q_2}$$

$$COP = \frac{Q_1}{W_1 + W_2} = \frac{COP_1 \cdot COP_2}{1 + COP_1 + COP_2}$$



⑦ Dry compression vs wet compression:

(i) liq. Ref. may damage comp. valves.



(i) wet compression represents incomplete vaporisation of Ref. ∴ loss of RE.
(ii) Inside compressor liquid Ref. may wash away lubricating oil ∴ ↑ wear, Tear

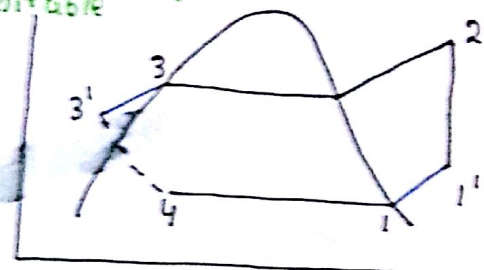
⑧ HE in V-C cycle: $\begin{matrix} 1-1' \\ 3-3' \end{matrix}$ $h_3 - h_{3'} = h_1 - h_{1'}$

Ref. coming out of condenser at 3 loses heat to Ref. " " " " evaporator at 1

Eva (4-1) HE (1-1') comp (1'-2) cond (2-3) HE (3-3')
T-v (3'-4)

$$COP = \frac{h_1 - h_4}{h_2 - h_1} = \frac{h_1 - h_{3'}}{h_2 - h_1}$$

* Adv. that inlet to comp. is slight superhe.
* RET, η_{in} can't say about COP



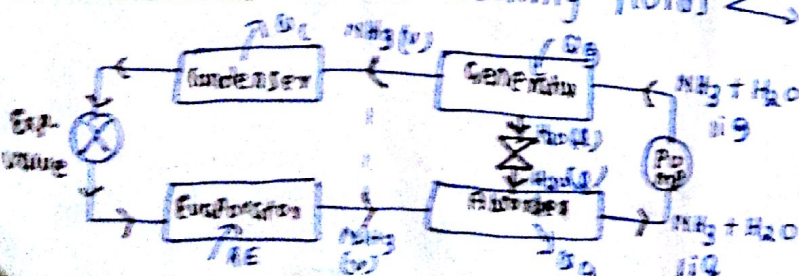
* can use ideal gas eqn. in 1-1' $u_1/T_1 = u_{1'}/T_{1'}$

⑨ Trends in Ref:

- CFC should be eliminated b/c of threat to ozone
- Replacements could be HFC, HFC, FC.
- Eg. (i) R-134a ($C_2H_2F_4$) $F - \overset{F}{\underset{F}{|}} C - \overset{F}{\underset{H}{|}} C - F$ - An HFC, could be used beyond 2030
- ↑ pr. Ref. ~~not for food storage~~ - some global warming potential
- Phenol, ~~not~~ - Replaced R-12
- (ii) R-123 ($C_2H_5F_3$) - shortest atm. life time - very ↓ GW potential.
- An HCFC ∴ slated to be phase out by 2030 (could continue as exception)
- R-134a t_c P_c $M \cdot B \cdot P$
- 101°C 40.5 bar -26°C
- R-123 133°C 36.7 bar -27°C

Montreal protocol 1987 (i) phase out CFC by 2000 (ii) HCFC by 2030 (iii) HFC, FC not covered

⑩ W-A cycle: uses a working fluid



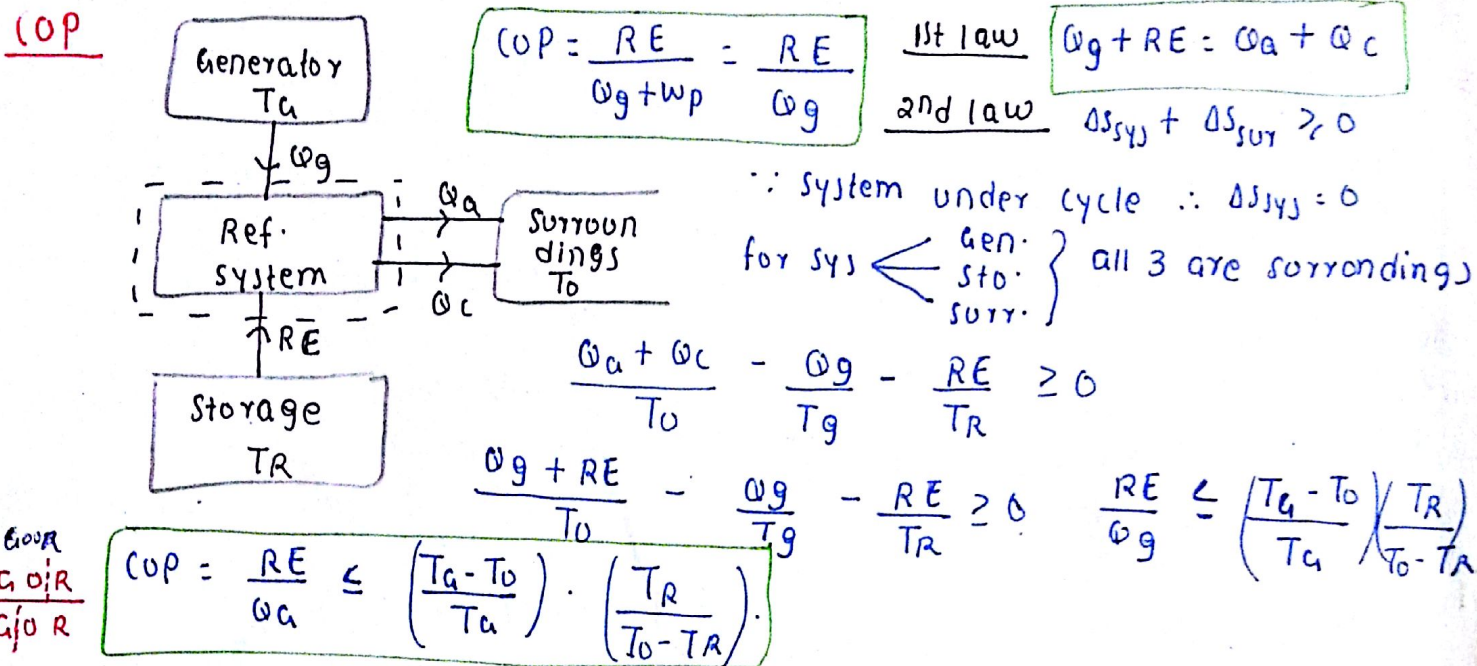
Refrigerant - NH_3 H_2O
Absorbent - H_2O $LiBr$
Absorber - Temp. ↓ ∴ ↑ absorptivity
∴ NH_3 mixes with H_2O and pumped easily.
Generator - Reverse ∴ separate

- pump replaced Compressor: $\omega_{pump} \ll \omega_{comp}$ as $Q_g \ll Q_c$

↳ + Absorber + generator

- works on ↓ grade energy i.e. heat. E.g. Solar Ref.

-(COP)_{VC} > (COP)_{VA} - Heat rejection at 2 places (condenser, absorber)

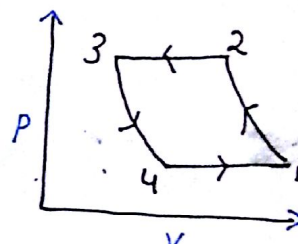
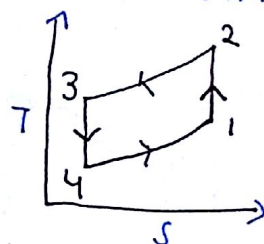
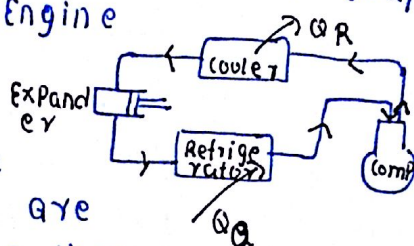


(1) Gas Ref. cycle: working medium - Air or gas \therefore can use $PV = mRT$ and $h = c_p \cdot T$

Application - Air craft Engine

- ↓ wt. per TR

* Here Refrigerator, cooler in place of Eva and cond, though all are HE but here no phase change



* Here Expander not Throttle valve: As can't use $h=c$ process b/c then $T=c$ and with $\uparrow T$ heat absorption from storage not possible.

Expander - moving parts, lubrication, maintenance, costly, ω_{op} obtained, 3-4

Throttle valve - simple, stationary, cheap, $h=c$, 3-4

why use Throttling in v-c? Though work o/p but b/c liquid \therefore not much, thus not used b/c \uparrow cost.

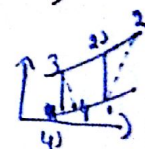
COP: In Ideal cycle $\frac{RE}{W_{in}} = \frac{T_1 - T_4}{(T_2 - T_1) - (T_3 - T_4)} = \frac{1}{(r_p)^{\frac{\gamma-1}{\gamma}} - 1}$

* η in Brayton cycle = $1 - \frac{1}{(r_p)^{\frac{\gamma-1}{\gamma}}}$

* Isentropic η of a compressor $\frac{T_{2s} - T_1}{T_2 - T_1} = \left(\frac{P_2}{P_1} \right)^{\frac{\gamma-1}{\gamma}}$

* " " expander

$\frac{T_{2s} - T_1}{T_2 - T_1} = \eta_c$



E.g. Q: if comp. $PV^{1.3} = c$ and expⁿ $PV^{1.35} = c$ Then not use direct formula.

(2) properties of Ref: ① THERMODYNAMIC - \uparrow critical T (for \uparrow OR in cond.), \uparrow Δh_{vap} (Ref. size)

\uparrow Thermal conductivity, Eva. pr. should be low but not below atm. pr.,

Moderate cond. pr. small r_p will freezing of oil, \uparrow COP of comp. discharge

- partially miscible (problem) (Thus synthetic oil is used in place of mineral oil)

NH_3 attacks Cu , Freon attacks Ag .

(ii) condensation: of vapour at condensing temp. (iii) subcooling: near the bottom where there is only liq.

$$HRR = \frac{Q_2}{Q_1} \quad \text{COP} = \frac{Q_1}{W} \quad Q_1 + W = Q_2$$

$HRR = 1 + \frac{1}{COP}$ HRR depends on COP
∴ on Cond. Temp. & Evap. Temp.

1) Air cooled - Heat Removed by air $\begin{cases} \text{Natural circ.} \\ \text{forced "} \end{cases}$ - Fins on air side
- used in small capacity - not for above 5 TR - Ref. inside tube, air outside

2) water cooled $\begin{cases} \text{Shell \& Tube} \\ \text{water thru pipes} \end{cases}$ b/c \uparrow head pressure, power, noise \uparrow

Shell & coil: ~~double~~ electrically welded closed shell containing water coil. Also serves as Receiver, bottom portion as sub cooler

Double Tube: Ref. Condenses in outer tube and jacket of water coil.

* These are small

CTs (i) natural draft (ii) forced draft

↑ humidity as in cooling tower.

$= 3.5 \text{ kW}$ * RE (kW) = $\dot{m} \times \text{RE (KJ/kg)}$ * RE $\cdot T$ in Eva. should be less than storage

Ideal Ref. cycle: * Reversed Carnot cycle

Ideal Ref. cycle: * Reversed Carnot cycle